



# *The NA62 experiment at CERN SPS*



*3<sup>rd</sup> Year PhD Student, School of Physics and Astronomy*

*Angela Romano*

*New University, Birmingham*

*Particle Physics Group Seminar 08/06/11*



# Outline

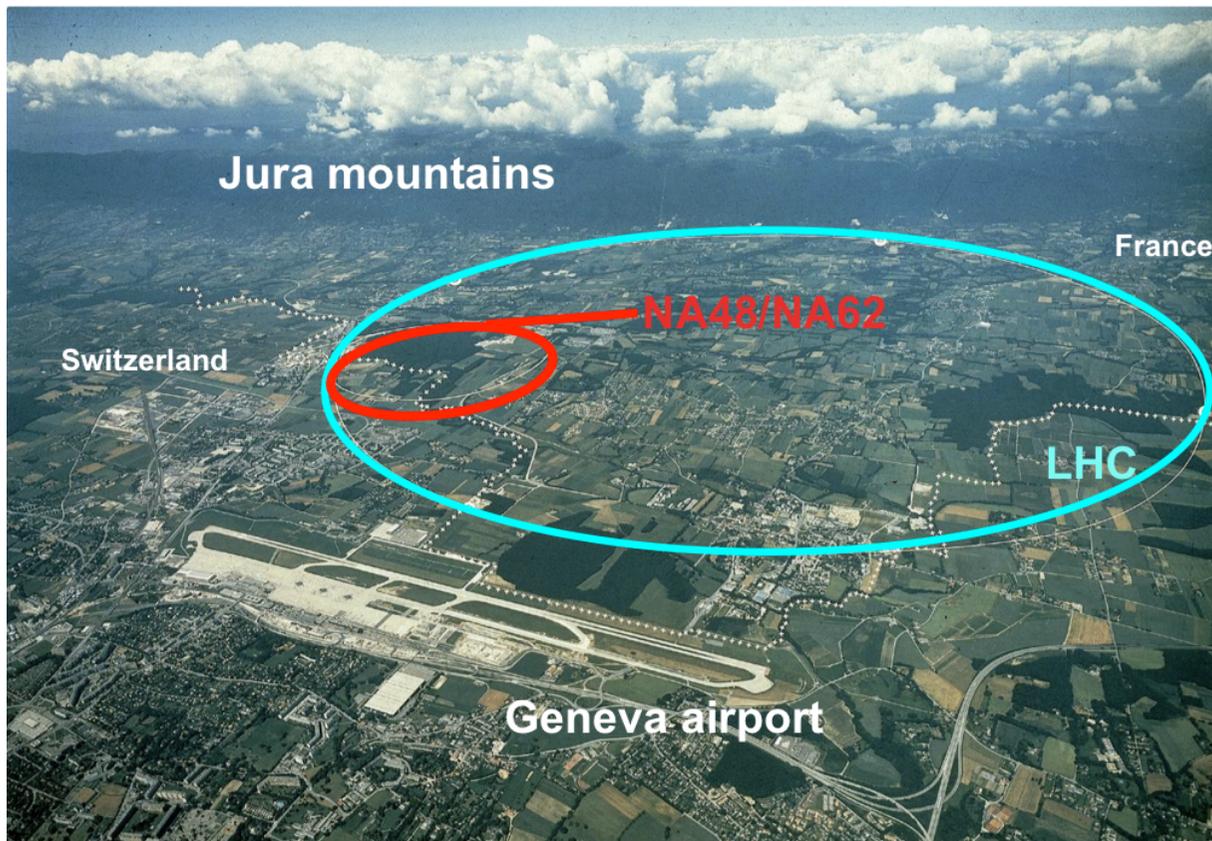
- The NA62 collaboration at CERN SPS
- NA62-I: Lepton Flavour Universality Test with  $K^{\pm} \rightarrow l^{\pm} \nu$   
Kaon leptonic decays ( $l = e, \mu$ ) **PLB B698 (2011) 105**
- Kaon leptonic radiative decays:  $BR(K^{\pm} \rightarrow l^{\pm} \nu \gamma)$ 
  - Motivation
  - State of the Art
  - Form Factors Fit
- NA62-II: Ultra Rare Kaon decay Branching Ratio  
 $BR(K^{\pm} \rightarrow \pi^{\pm} \nu \bar{\nu})$  measurement
- $K^+$  Identification detector (CEDAR):
  - Application/Usage on NA62-II detector layout
  - Research & Development Status



# NA62 at CERN SPS North Area



NA48/NA62 a series of experiments,  
present-day CERN Kaon physics programme



**NA48**  
discovery  
of direct  
CPV

1997:  $\epsilon'/\epsilon: K_L+K_S$

1998:  $K_L+K_S$

1999:  $K_L+K_S$  |  $K_S$  HI

2000:  $K_L$  only |  $K_S$  HI

2001:  $K_L+K_S$  |  $K_S$  HI

**NA48/1**

2002:  $K_S$ /hyperons

**NA48/2**

2003:  $K^+/K^-$

2004:  $K^+/K^-$

**NA62**  
(phase I)

2007:  $K_{e2}^{\pm}/K_{\mu 2}^{\pm}$  |

2008:  $K_{e2}^{\pm}/K_{\mu 2}^{\pm}$  |

**NA62**  
(phase II)

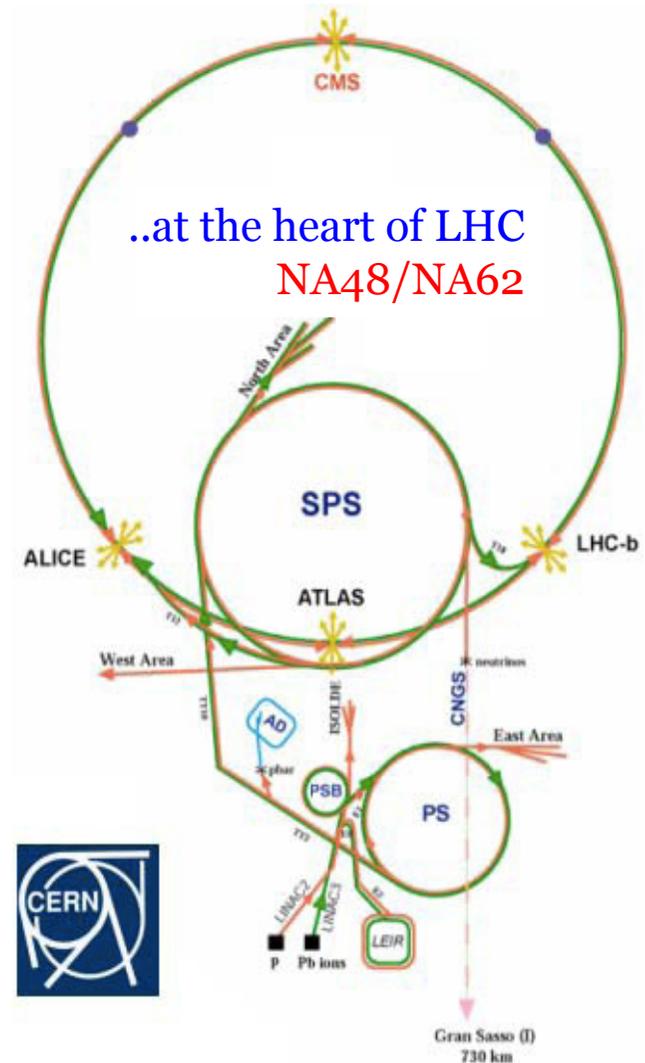
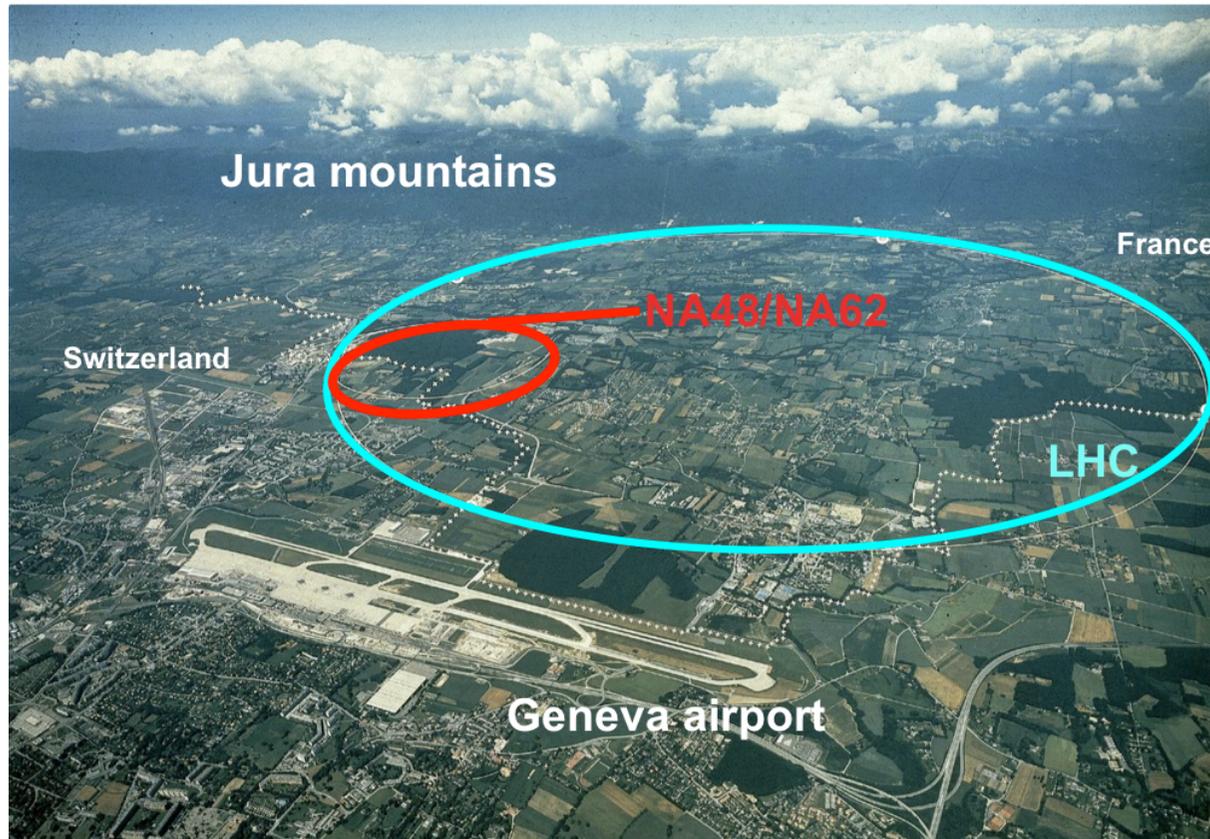
2007-2013:  
design & construction  
2014-2016:  
 $K^+ \rightarrow \pi^+ \nu \bar{\nu}$  data taking



# NA62 at CERN SPS North Area



NA48/NA62 a series of experiments,  
present-day CERN Kaon physics programme



## NA62 collaboration:

(Bern ITP, Birmingham, Bristol, CERN, Dubna, Fairfax, Ferrara, Florence, Frascati, IHEP Protvino, INR Moscow, Liverpool, Louvain, Mainz, Merced, Naples, Perugia, Pisa, Rome I, Rome II, Saclay, San Luis Potosí, SLAC, Sofia, TRIUMF, Turin)



## *NA62 – I*

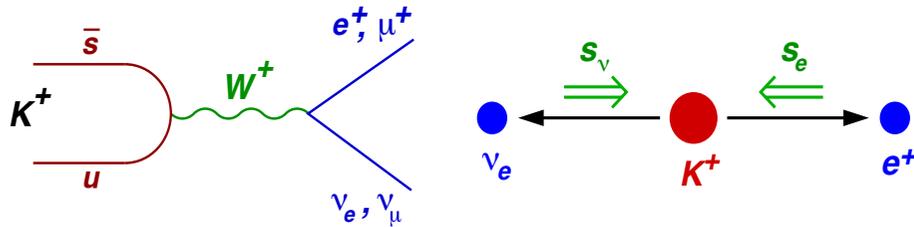
# *Precision Test of Lepton Flavour Universality with $R_K$ :*

$$R_K = \Gamma(K^\pm \rightarrow e^\pm \nu_e) / \Gamma(K^\pm \rightarrow \mu^\pm \nu_\mu)$$

(denoted as:  $R_K = \Gamma(K_{e2}) / \Gamma(K_{\mu2})$ )

# $R_K$ in the SM

- Standard Model test
- Hadronic uncertainties cancel in the ratio:  $R_K = K_{e2}/K_{\mu2}$
- Helicity suppression:  $\sim 10^{-5}$



$R_K$  SM expectation:

$$R_K = \frac{\Gamma(K^\pm \rightarrow e^\pm \nu)}{\Gamma(K^\pm \rightarrow \mu^\pm \nu)}$$

$$R_K = \underbrace{\frac{m_e^2}{m_\mu^2}}_{\text{Helicity suppression}} \cdot \underbrace{\left( \frac{m_K^2 - m_e^2}{m_K^2 - m_\mu^2} \right)^2 \cdot (1 + \delta R_K^{\text{rad. corr.}})}_{\text{Radiative correction (few%)}}$$

**Helicity suppression**

**Radiative correction (few%)**

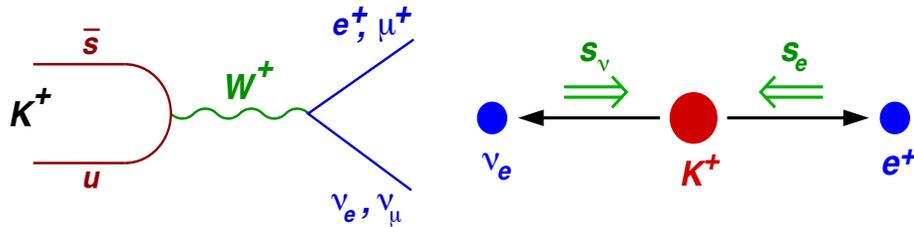
[V.Cirigliano, I.Rosell JHEP 0710:005 (2007)]

$$R_K^{\text{SM}} = (2.477 \pm 0.001) \times 10^{-5}$$

Phys. Lett. 99 (2007) 231801

# R<sub>K</sub> in the SM

- Standard Model test
- Hadronic uncertainties cancel in the ratio:  $R_K = K_{e2}/K_{\mu2}$
- Helicity suppression:  $\sim 10^{-5}$



R<sub>K</sub> SM expectation:

$$R_K = \frac{\Gamma(K^\pm \rightarrow e^\pm \nu)}{\Gamma(K^\pm \rightarrow \mu^\pm \nu)}$$

$$R_K = \underbrace{\frac{m_e^2}{m_\mu^2} \cdot \left( \frac{m_K^2 - m_e^2}{m_K^2 - m_\mu^2} \right)^2}_{\text{Helicity suppression}} \cdot \underbrace{(1 + \delta R_K^{\text{rad. corr.}})}_{\text{Radiative correction (few%)}}$$

**Helicity suppression**

**Radiative correction (few%)**

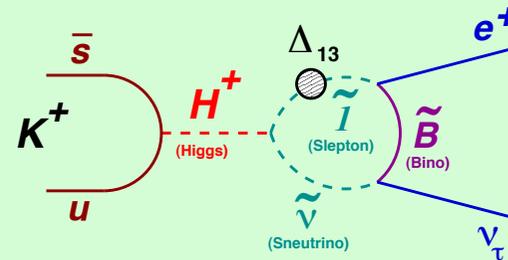
[V.Cirigliano, I.Rosell JHEP 0710:005 (2007)]

$$R_K^{\text{SM}} = (2.477 \pm 0.001) \times 10^{-5}$$

Phys. Lett. 99 (2007) 231801

# R<sub>K</sub> beyond SM

- Indirect search of New Physics
- **MSSM scenario: LFV terms** (charged Higgs coupling) introduces extra contributions to the SM amplitude
- **Up to 1% variation**

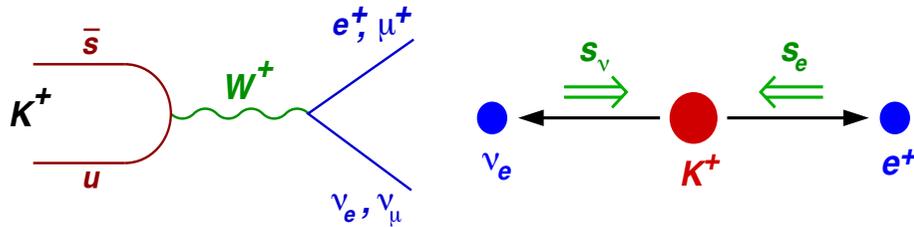


PRD 74 (2006)  
011701, JHEP 0811  
(2008) 042

$$R_K^{\text{LFV}} \approx R_K^{\text{SM}} \left[ 1 + \left( \frac{m_K^4}{m_{H^\pm}^4} \right) \left( \frac{m_\tau^2}{m_e^2} \right) |\Delta_{13}|^2 \tan^6 \beta \right]$$

# R<sub>K</sub> in the SM

- Standard Model test
- Hadronic uncertainties cancel in the ratio:  $R_K = K_{e2}/K_{\mu2}$
- Helicity suppression:  $\sim 10^{-5}$



R<sub>K</sub> SM expectation:

$$R_K = \frac{\Gamma(K^\pm \rightarrow e^\pm \nu)}{\Gamma(K^\pm \rightarrow \mu^\pm \nu)}$$

$$R_K = \underbrace{\frac{m_e^2}{m_\mu^2} \cdot \left(\frac{m_K^2 - m_e^2}{m_K^2 - m_\mu^2}\right)^2}_{\text{Helicity suppression}} \cdot \underbrace{(1 + \delta R_K^{\text{rad. corr.}})}_{\text{Radiative correction (few%)}}$$

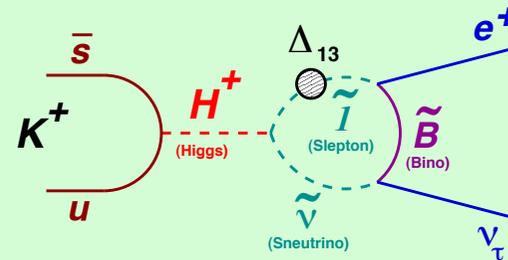
**Helicity suppression**

**Radiative correction (few%)**

[V.Cirigliano, I.Rosell JHEP 0710:005 (2007)]

# R<sub>K</sub> beyond SM

- Indirect search of New Physics
- **MSSM scenario: LFV terms** (charged Higgs coupling) introduces extra contributions to the SM amplitude
- **Up to 1% variation**



PRD 74 (2006)  
011701, JHEP 0811  
(2008) 042

$$R_K^{LFV} \approx R_K^{SM} \left[ 1 + \left( \frac{m_K^4}{m_{H^\pm}^4} \right) \left( \frac{m_\tau^2}{m_e^2} \right) |\Delta_{13}|^2 \tan^6 \beta \right]$$

$$R_K^{SM} = (2.477 \pm 0.001) \times 10^{-5}$$

Phys. Lett. 99 (2007) 231801

## Experimental status:

- PDG'o8 average (1970s measurements):  $\rightarrow R_K = (2.45 \pm 0.11) \times 10^{-5}$  ( $\delta R_K/R_K = 4.5\%$ )
- Recent improvement **KLOE (Frascati)**:  $\rightarrow R_K = (2.493 \pm 0.031) \times 10^{-5}$  ( $\delta R_K/R_K = 1.3\%$ )  
(EPJ C64 (2009) 627)

**NA62 - I goal: measurement of R<sub>K</sub> with accuracy level below 1% (~0.5%)**



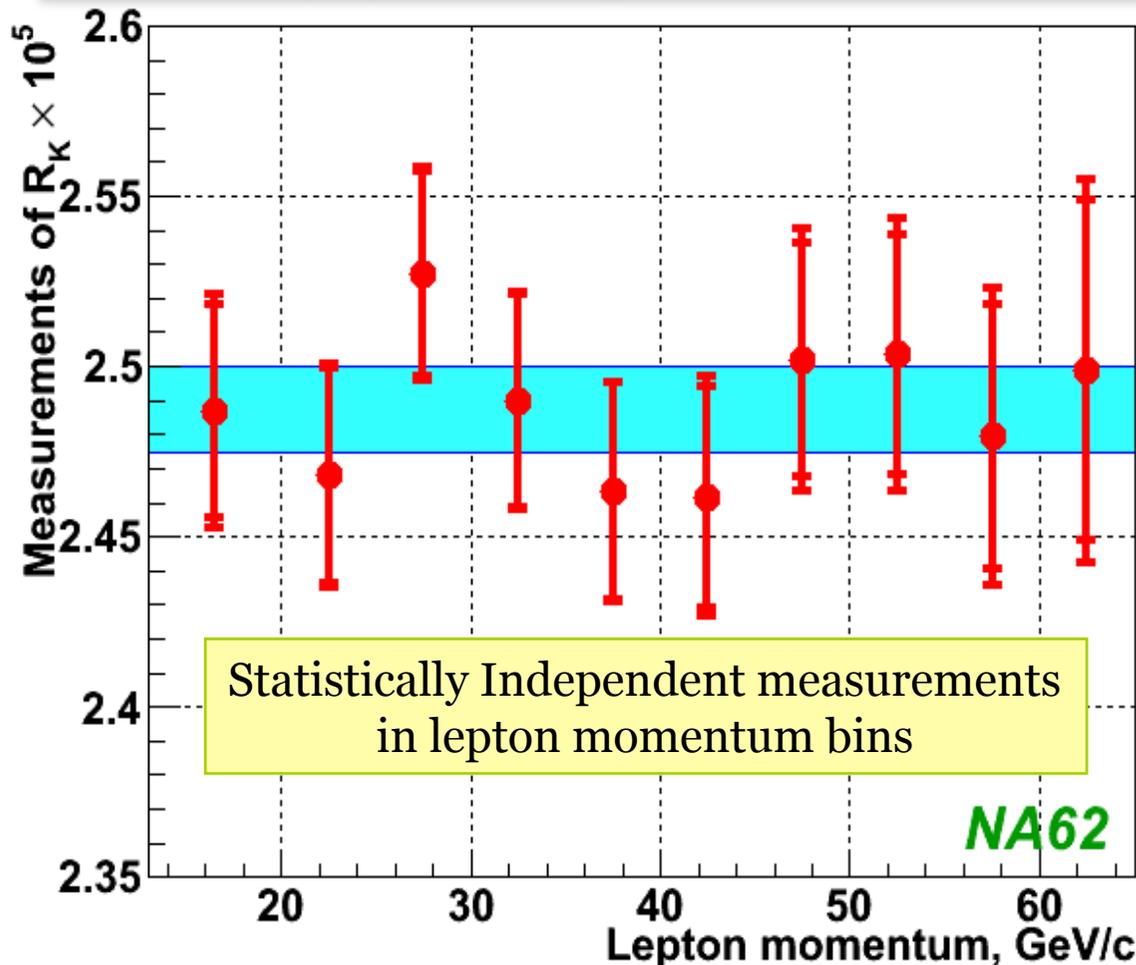
# NA62-I Result (40% data set)



$$R_K = (2.487 \pm 0.011_{\text{stat}} \pm 0.007_{\text{syst}}) \times 10^{-5}$$

$$= (2.487 \pm 0.013) \times 10^{-5}$$

Recently published:  
PLB B698 (2011) 105



## Uncertainties

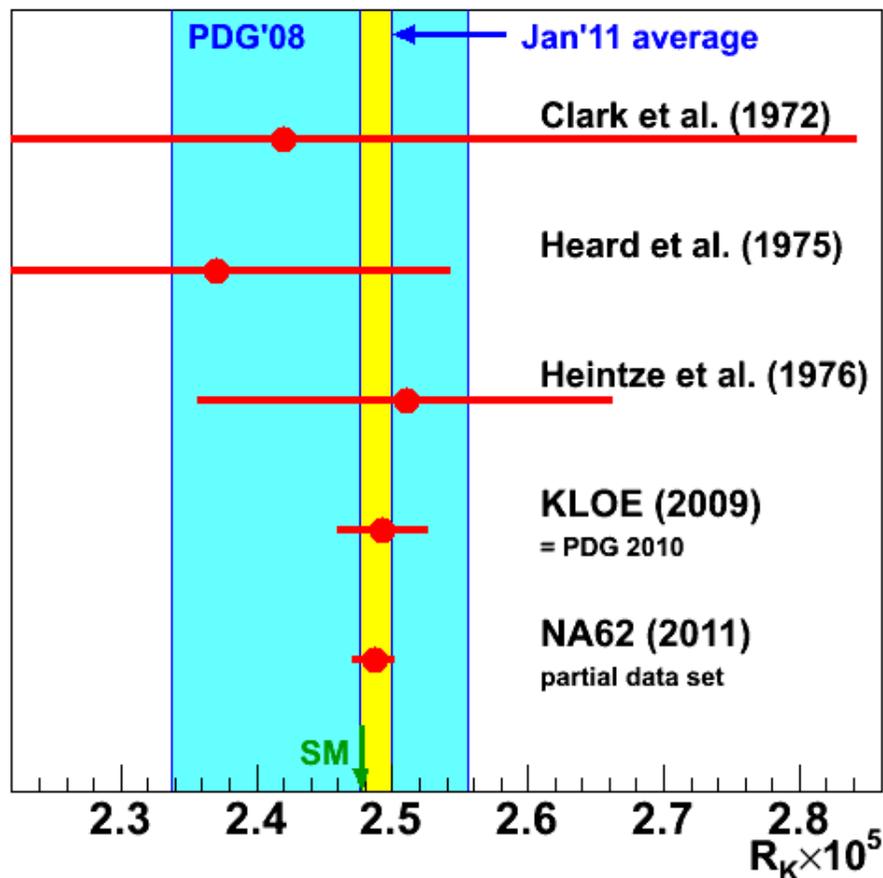
Source	$\delta R_K \times 10^5$
Statistical	0.011
$K_{\mu 2}$	0.005
$BR(K^+ \rightarrow e^+ \nu \gamma \text{ (SD}^+))$	0.001
Helium purity	0.003
Beam halo	0.001
Acceptance	0.002
DCH alignment	0.001
Positron ID	0.001
Lkr readout ineff	0.001
1-track trigger	0.002
<b>Total</b>	<b>0.013</b>

(0.5% precision)

(systematic errors included, partially correlated)

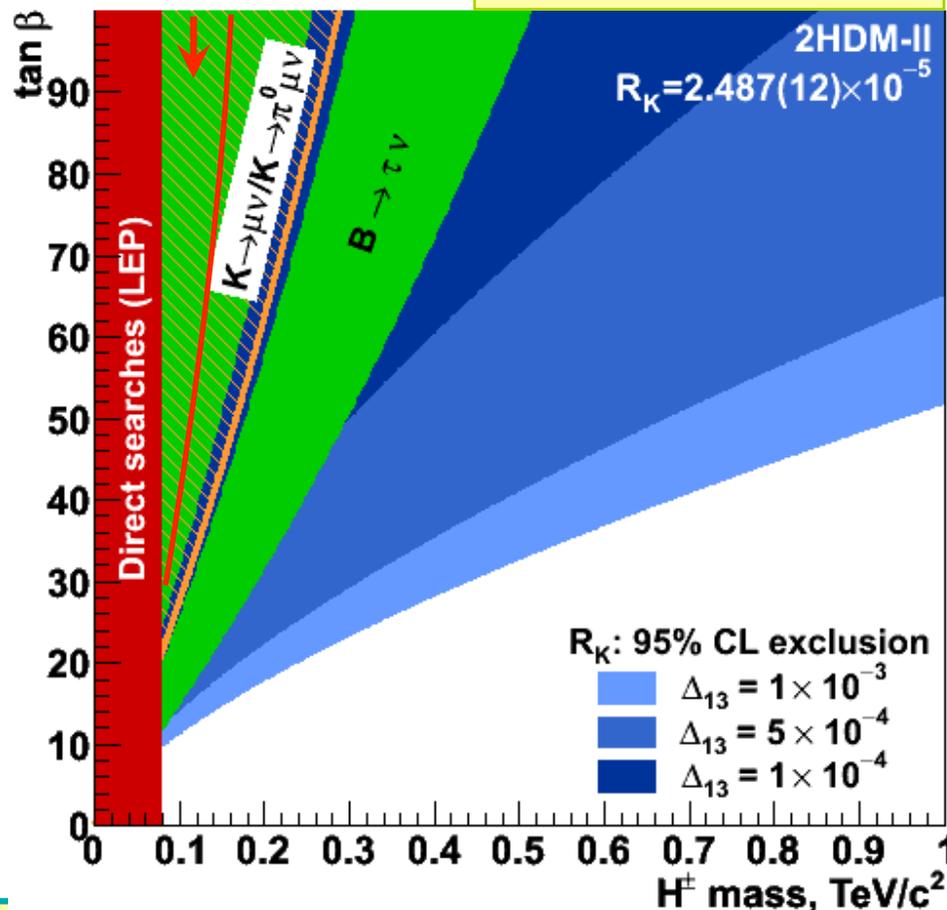


# $R_K$ : world average



Tevatron Run II

95% exclusion limits



Any significant enhancement with respect to the SM would be evidence of new physics.

World average	$\delta R_K \times 10^5$	Precision
PDG 2008	$2.447 \pm 0.109$	4.5%
January 2011	$2.487 \pm 0.012$	0.48%

$R_K$  measurements are currently in agreement with the SM expectation at  $\sim 1\sigma$ .



# *Kaon Leptonic Radiative decay:*

$$K^+ \rightarrow e^+ \nu \gamma \quad (K^+_{e2\gamma})$$



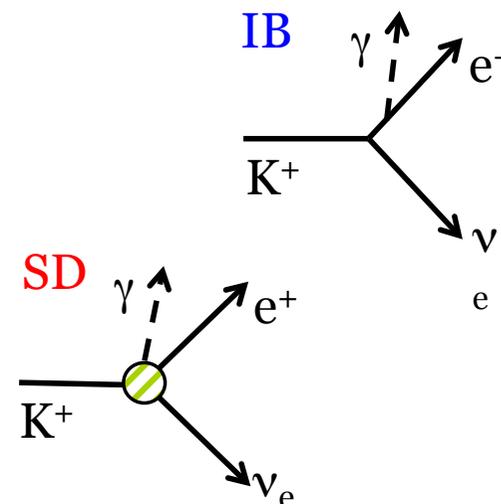
# $K^+_{e2\gamma}$ : Theory

Amplitude  $M$  of the decay  $K^+_{e2\gamma}$  written in terms of three contributions:

$$M = M_{IB} + M_{SD} + M_{INT}$$

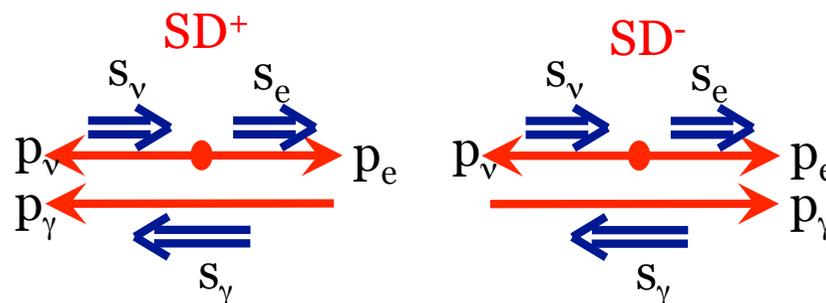
## 1. “Inner Bremsstrahlung” (IB) component

- Photon emitted by  $e^+$  (external leg);
- Helicity suppressed ( $e^+=R, \nu=L$  for  $m_e \rightarrow 0$ );
- $\alpha$  and **(V-A)** structure as in  $K_{e2}$ ;



## 2. “Structure Dependent” ( $SD^\pm$ ) components

- Photon emitted at the  $K^+$  decay vertex;
- Two non-interfering contributions: **positive** & **negative**  $\gamma$  helicity;
- No helicity suppressed;
- **(V $\pm$ A)** structures contributing;



## 3. Interference ( $INT^\pm$ ) components

- IB &  $SD^\pm$  interfering contributions;
- $M_{INT} \propto (m_e/m_K)^2$  ;
- Negligible due to the small electron mass;



# $K^+_{e2\gamma}$ : Motivation & Goal

- SM Test to the Next-to-Leading Order (NLO) in chiral expansions (ChPT  $O(p^4)$ , ChPT  $O(p^6)$ ) ; (NPB396 (1993) 81)
- Model independent extractions of theoretical **Form Factors** (FFs);
- **Independent measurement** with a different technique wrt the one performed by KLOE; (EPJC64 (2009) 627)
- **$SD^+$  component: “key” ingredient** for the estimate of the  $R_K$  background; (PLB B698 (2011) 105)

## Analysis Goals ( $SD^+$ component):

1. Model-independent **Decay rate**  $d^2\Gamma/dx dy$  & **Branching Ratio**  $BR(K^+_{e2\gamma})$  in the kinematic region of interest;
2. Parameters of the model:  **$SD^+$  Form Factors**; (precision test for ChPT  $O(p^6)$ );



# $K^+_{e2\gamma}$ : Kinematics

In the  $K^+$  rest frame, the Kinematics of  $K^+_{e2\gamma}$  can be described by two conventional, dimensionless quantities:

$$x = \frac{2E^*(\gamma)}{M_K}; \quad y = \frac{2E^*(e)}{M_K};$$

$E^*(e)$ ,  $E^*(\gamma)$ : electron and photon energy in  $K^+$  rest frame

with their physical allowed regions being:

$$0 \leq x \leq 1 - r_e; \quad 1 - x + \frac{r_e}{1-x} \leq y \leq 1 + r_e;$$

where,  $r_e = (m_e/m_K)^2$

$$\rho(x,y) = \frac{d^2\Gamma(K^+_{e2\gamma})}{dxdy} = \underbrace{\rho_{IB}(x,y)}_{\text{helicity suppressed}} + \rho_{SD^\pm}(x,y) + \underbrace{\rho_{INT^\pm}(x,y)}_{\text{negligible}}$$



# $K^+ e_2 \gamma (SD^+) : Kinematics$

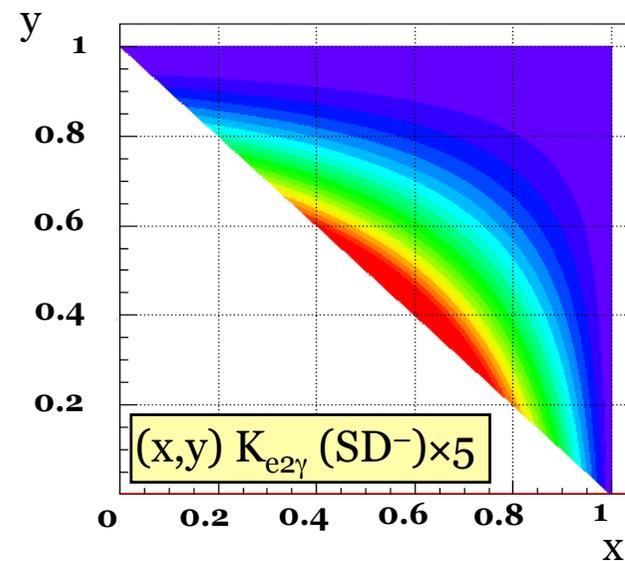
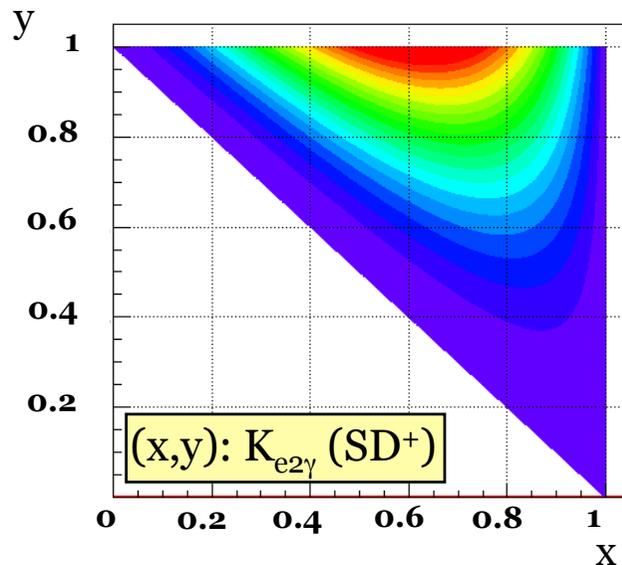
$$\rho_{SD^\pm}(x,y) = \frac{G_F^2 |V_{us}|^2 \alpha}{64\pi^2} M_K^5 [(V+A)^2 f_{SD^+}(x,y) + (V-A)^2 f_{SD^-}(x,y)]$$

V, A: model-dependent vector and axial-vector effective couplings

$$f_{SD^+}(x,y) = (1-x)(x+y-1)^2;$$

$$f_{SD^-}(x,y) = (1-x)(1-y)^2;$$

$SD^-$  component is smaller and beyond the kinematical region of the analysis;





# $K^+_{e2\gamma} (SD^+) : \text{Experimental Status \& Background}$

**KLOE** result (2009):

- ✓  $N_{\text{evt}} = 1484$  ( $p_e > 200$  MeV/c, in  $K^+$  rest frame)
- ✓  $\Gamma(K_{e2\gamma})/\Gamma(K_{\mu2}) = (1.438 \pm 0.066_{\text{stat}} \pm 0.013_{\text{syst}}) \times 10^{-5}$
- ✓  $|V+A| = 0.125 \pm 0.007_{\text{stat}} \pm 0.001_{\text{syst}}$

KLOE measurement of V+A leads to  
 $\text{BR}(SD^+, \text{full phase space}) = (1.37 \pm 0.06) \times 10^{-5}$   
(EPJC64 (2009) 627)

Main **Backgrounds**:

- ✓  $K^+ \rightarrow e^+ \pi^0 \nu$  ( $K_{e3}$ ) decay:  $\Gamma(K_{e3})/\Gamma(K_{e2\gamma}) \sim 3000$ ;  
 $K_{e3}$  can mimic  $K_{e2\gamma}$  decay if the positron is energetic and one photon from the  $\pi^0 \rightarrow \gamma\gamma$  decay is undetected;
- ✓  $K^+ \rightarrow \pi^+ \pi^0$  ( $K_{2\pi}$ ) decay:  $\Gamma(K_{2\pi})/\Gamma(K_{e2\gamma}) \sim 12000$ ;  
 $K_{2\pi}$  can mimic  $K_{e2\gamma}$  decay if the pion is mis-ID as a positron ( $\sim 10^{-3}$  probability) and one photon from the  $\pi^0 \rightarrow \gamma\gamma$  decay is undetected;



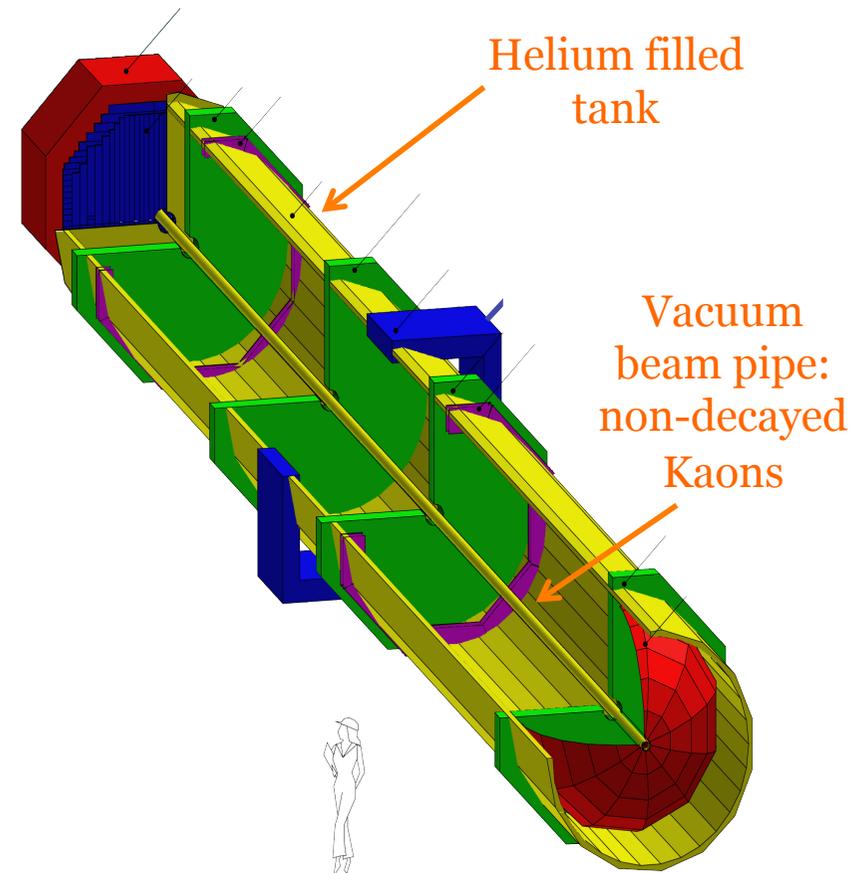
# Data Taking and Detector



- Four months in 2007:  
~ 400K SPS spills, 300TB of raw data
- Two weeks in 2008:  
special data sets allowing reduction of the systematic uncertainties.

## Principal subdetectors (NA48 beam line):

Secondary Beam composition:  
 $K^+(\pi^+) = 5\%(63\%)$





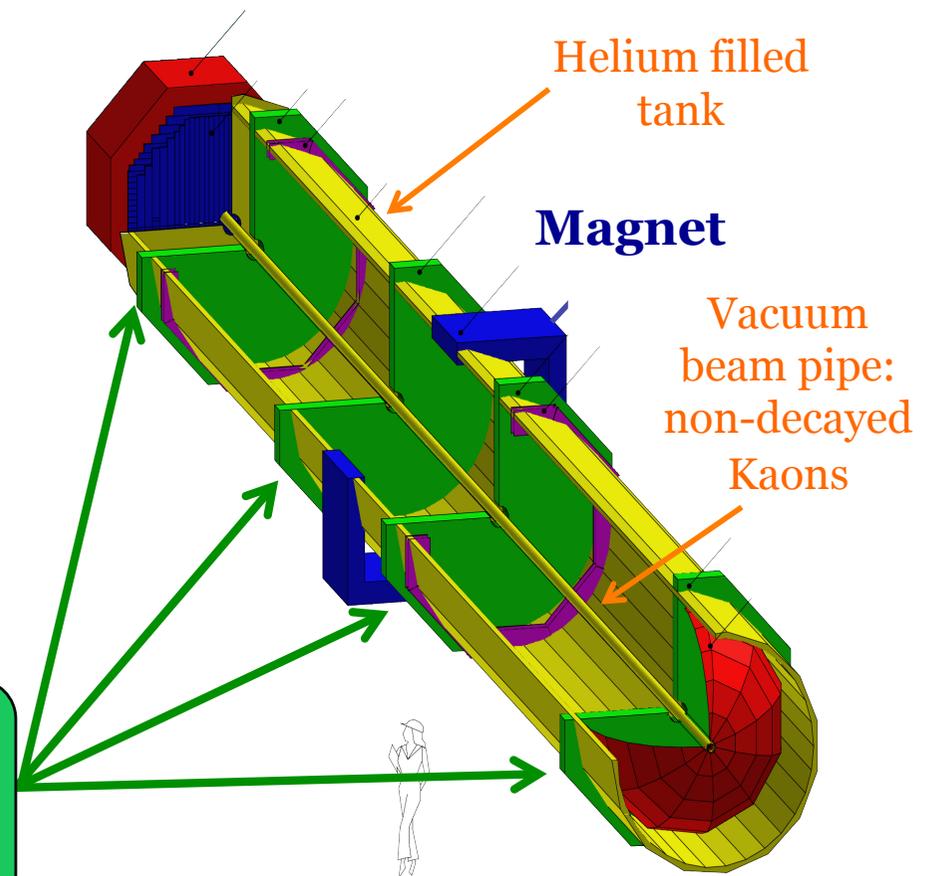
# Data Taking and Detector



- Four months in 2007:  
~ 400K SPS spills, 300TB of raw data
- Two weeks in 2008:  
special data sets allowing reduction of the systematic uncertainties.

## Principal subdetectors:

Secondary Beam composition:  
 $K^+(\pi^+) = 5\%(63\%)$



### **Spectrometer (4 DCHs + Magnet):**

4 views/DCH  $\Rightarrow$  high efficiency;  
 $\sigma_p/p = 0.47\% + 0.02\% \cdot p$  [GeV/c]

Angela Romano

Decay volume is upstream



# Data Taking and Detector



- Four months in 2007:  
~ 400K SPS spills, 300TB of raw data
- Two weeks in 2008:  
special data sets allowing reduction of the systematic uncertainties.

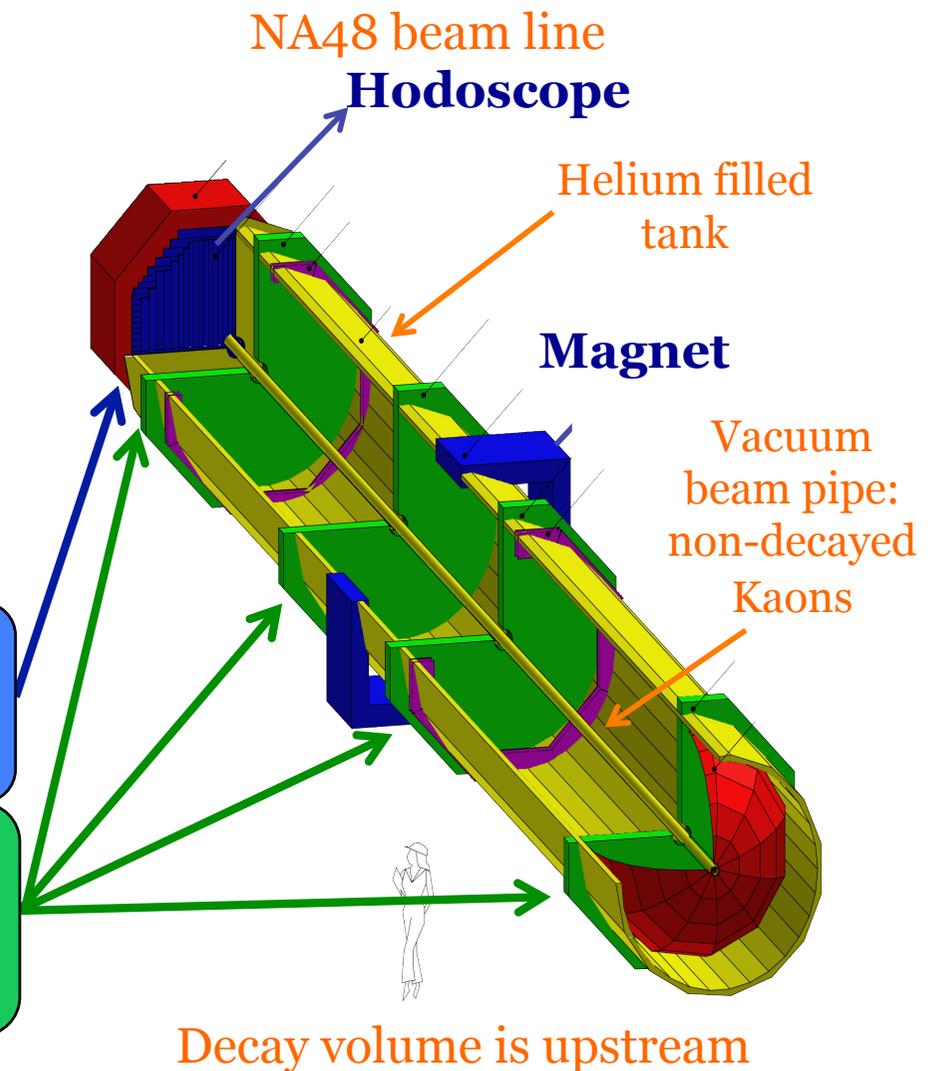
## Principal subdetectors:

**Hodoscope:**  
fast trigger, precise time measurement (150ps)

**Spectrometer (4 DCHs + Magnet):**  
4 views/DCH  $\Rightarrow$  high efficiency;  
 $\sigma_p/p = 0.47\% + 0.02\% \cdot p$  [GeV/c]

Angela Romano

Secondary Beam composition:  
 $K^+(\pi^+) = 5\%(63\%)$





# Data Taking and Detector



- Four months in 2007:  
~ 400K SPS spills, 300TB of raw data
- Two weeks in 2008:  
special data sets allowing reduction of the systematic uncertainties.

Secondary Beam composition:  
 $K^+(\pi^+) = 5\%(63\%)$

## Principal subdetectors:

### Liquid Krypton EM calorimeter (LKr):

High granularity, quasi-homogeneous;  
 $\sigma_E/E = 3.2\%/\sqrt{E} + 9\%/E + 0.42\% \text{ [GeV]}$   
 $\sigma_x = \sigma_y = 0.42/\sqrt{E} + 0.6\text{mm} (1.5\text{mm}@10\text{GeV})$

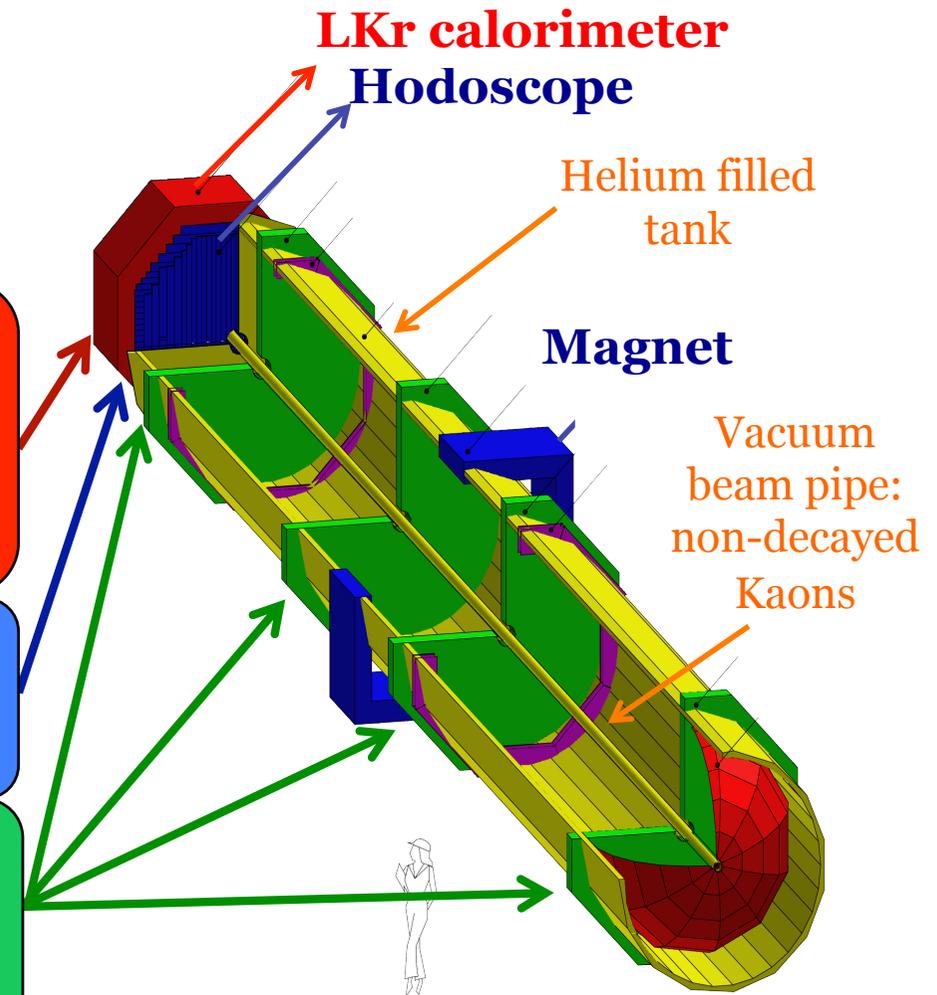
### Hodoscope:

fast trigger, precise time measurement (150ps)

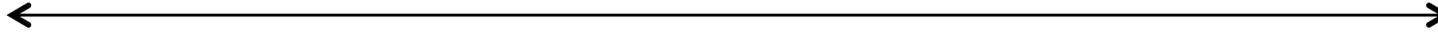
### Spectrometer (4 DCHs + Magnet):

4 views/DCH  $\Rightarrow$  high efficiency;  
 $\sigma_p/p = 0.47\% + 0.02\% \cdot p \text{ [GeV/c]}$

Angela Romano



Decay volume is upstream



$K^+ \rightarrow e^+ \nu \gamma$  ( $SD^+$ )

*Analysis Strategy*

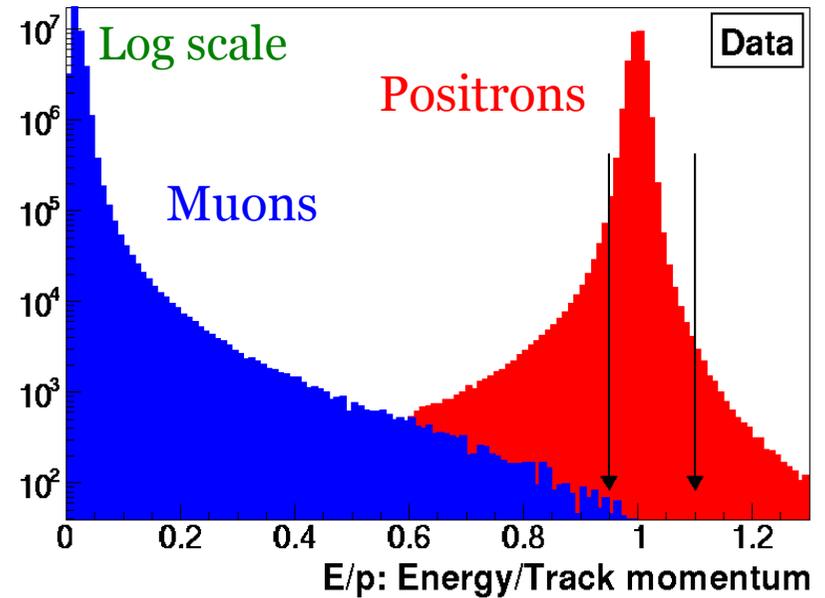


# $K^+ \rightarrow e^+ \nu \gamma$ ( $SD^+$ ) selection

## Positron Selection:

### Common part with Ke2:

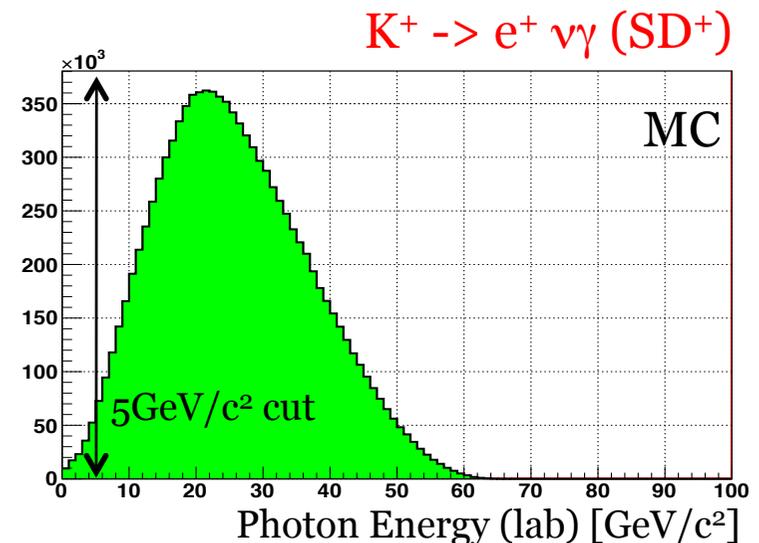
- one reconstructed track;
- positive charge;
- geometrical acceptance cuts;
- K decay vertex: closest distance of approach between track & kaon axis;
- $0.95 < E/p < 1.10$  (positron);
- track momentum:  $10 \text{ GeV}/c < p < 55 \text{ GeV}/c$



## Photon Selection:

### Specific part for radiative decay:

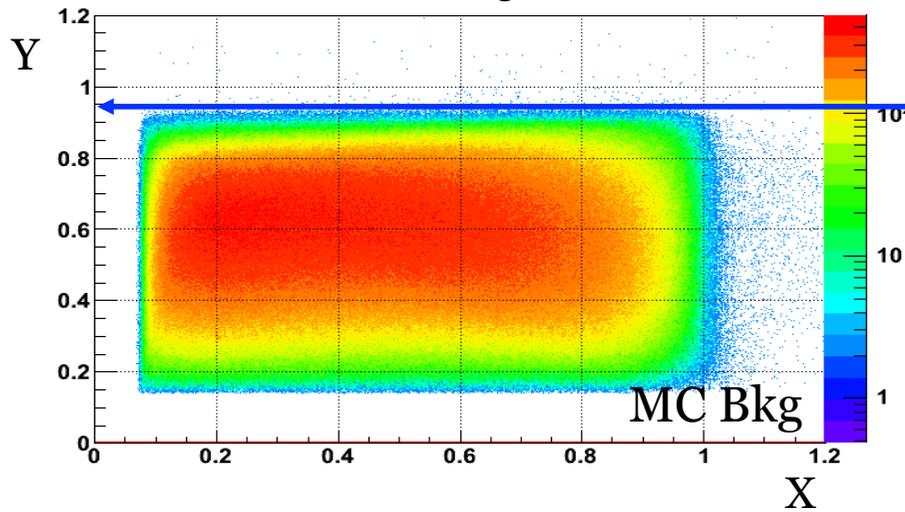
- one extra LKr energy deposition cluster;
- isolated and good;
- LKr geometrical acceptance cuts;
- in time with the track;
- photon energy:  $E > 5 \text{ GeV}/c^2$



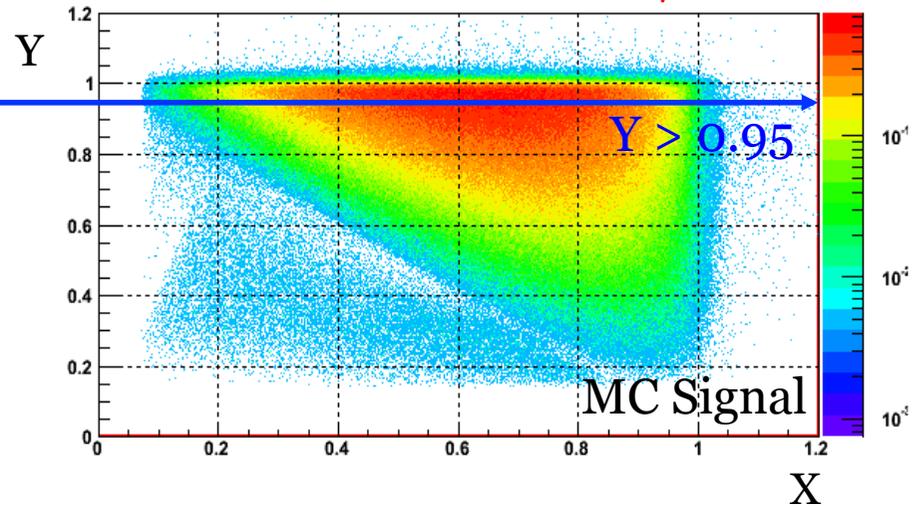


# Reconstructed Signal-Bkg

$K^+ \rightarrow e^+ \pi^0 \nu$  ( $K_{e3}$ )



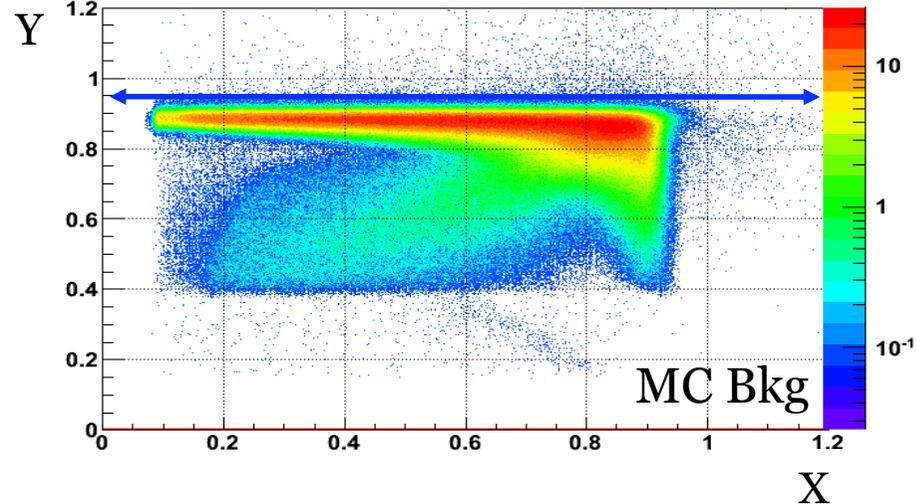
$K^+ \rightarrow e^+ \nu \gamma$  ( $SD^+$ ) ( $K_{e2\gamma}$ )



$$X = \frac{2E^*(\gamma)}{M_K}; \quad Y = \frac{2E^*(e)}{M_K};$$

$$Y_{K_{e3}}^{\max} = 0.923 < Y_{K_{e2\gamma}}^{\max} = 1$$

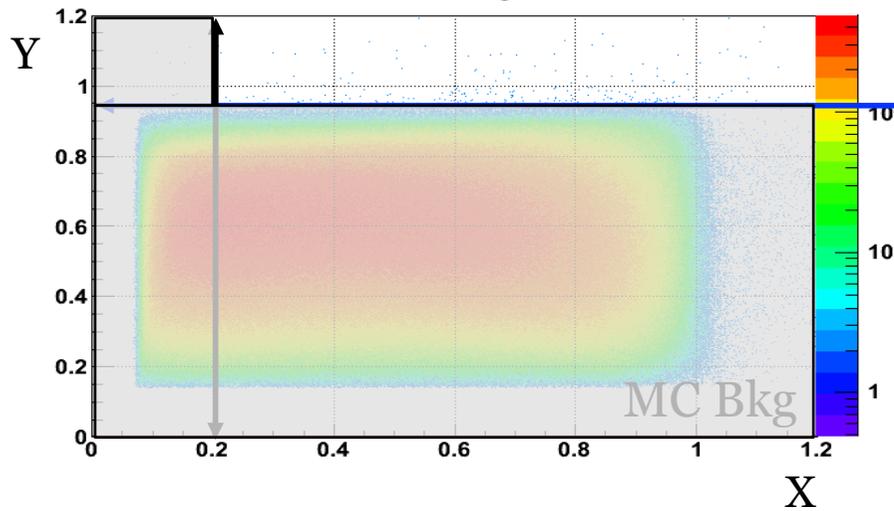
$K^+ \rightarrow \pi^+ \pi^0$  ( $K_{2\pi}$ )



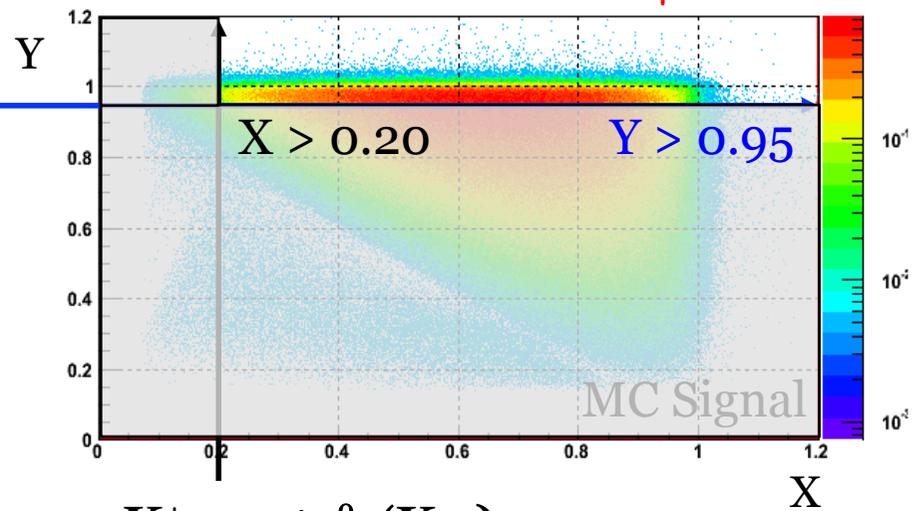


# Reconstructed Signal-Bkg

$K^+ \rightarrow e^+ \pi^0 \nu$  ( $K_{e3}$ )



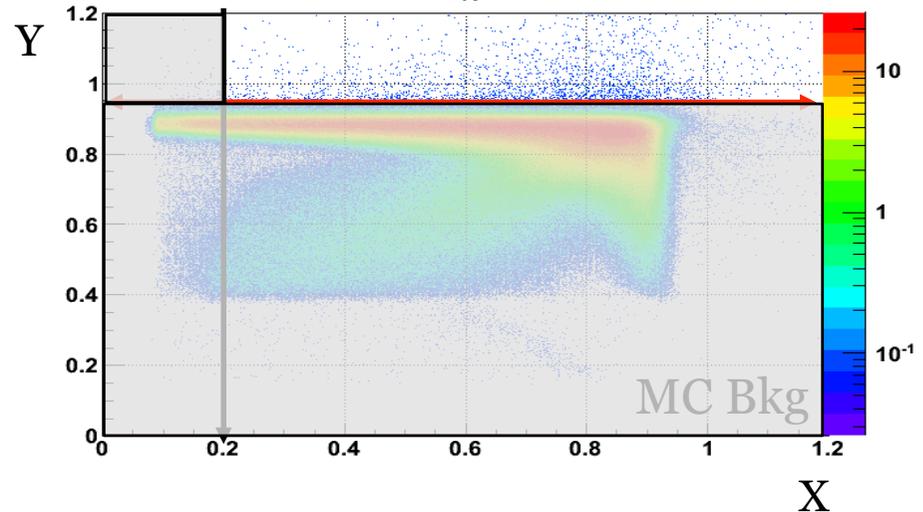
$K^+ \rightarrow e^+ \nu \gamma$  ( $SD^+$ ) ( $K_{e2\gamma}$ )



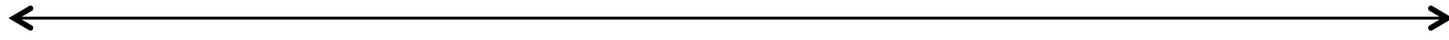
$$Y_{K_{e3}}^{\max} = 0.923 < Y_{K_{e2\gamma}}^{\max} = 1$$

$X > 0.20; \quad Y > 0.95;$

$K^+ \rightarrow \pi^+ \pi^0$  ( $K_{2\pi}$ )



The X cut has been optimised for minor sources of background;

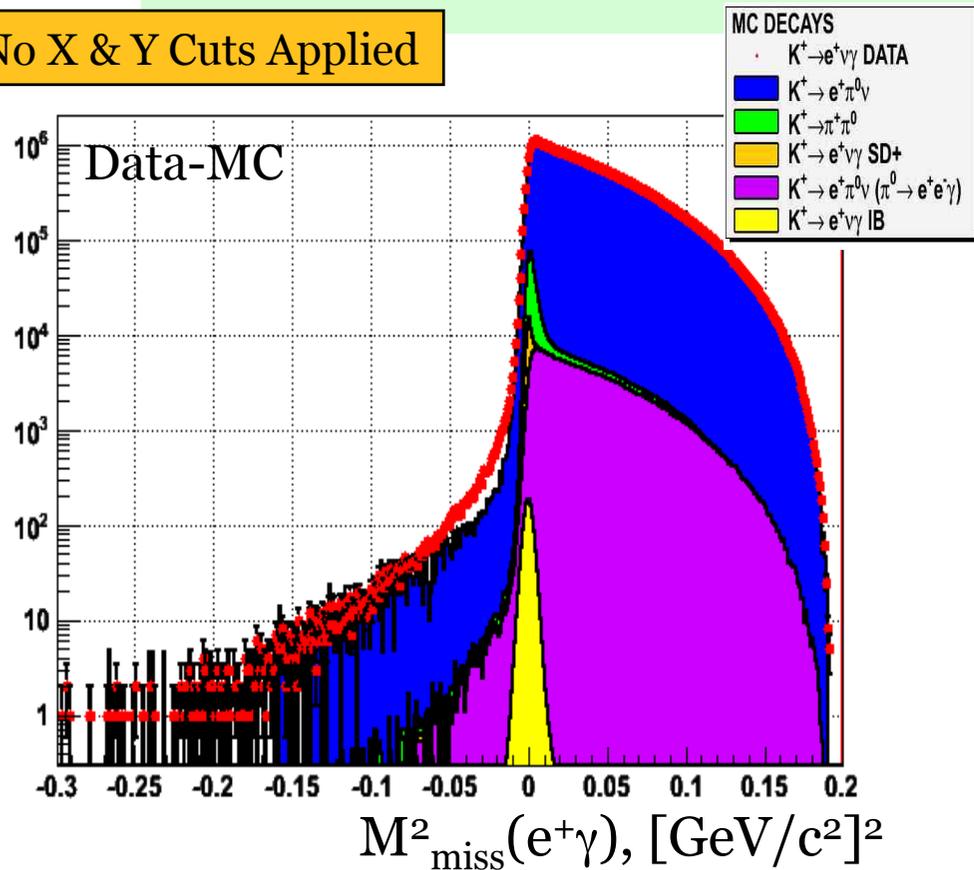


# $K^+ \rightarrow e^+ \nu \gamma$ ( $SD^+$ ) selection

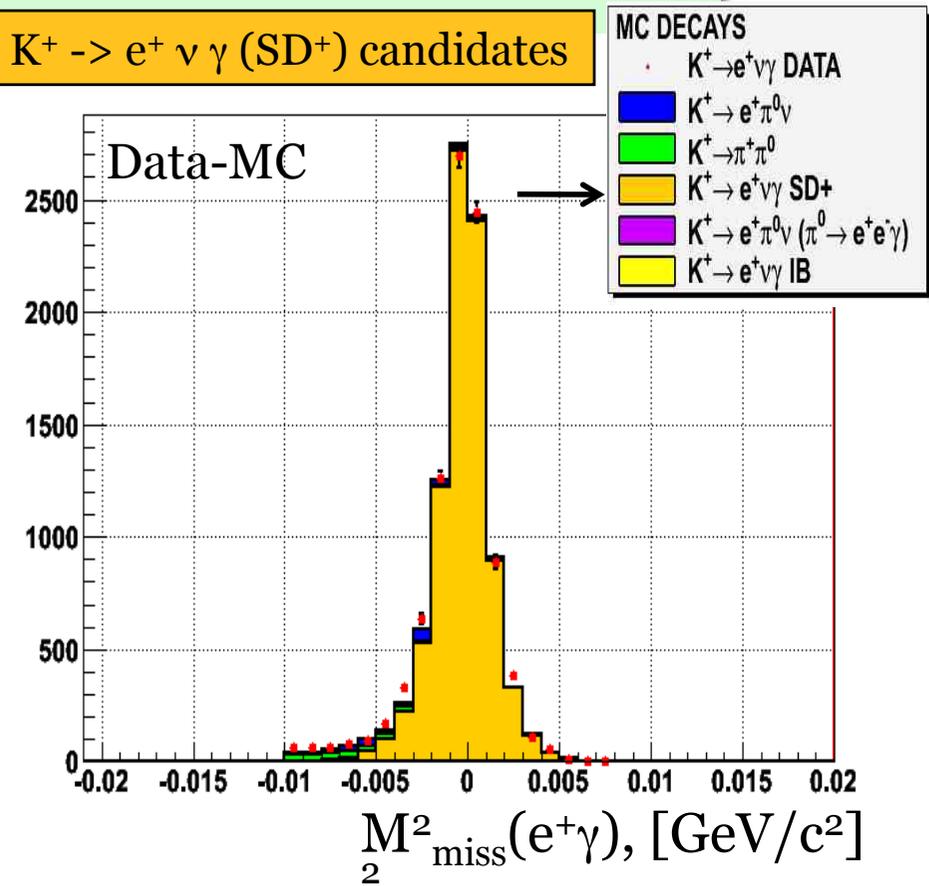
## Kinematic identification:

- Three body decay:  $M^2_{miss}(e^+\gamma) = |(P_{K^+} - P_{e^+} - P_{\gamma})^2| < 0.01 \text{ GeV}^2/c^4$

No X & Y Cuts Applied



$K^+ \rightarrow e^+ \nu \gamma$  ( $SD^+$ ) candidates



$$\text{Acc}(K^+_{e2\gamma}) = N^{\text{MC}}_{\text{final}}(K^+_{e2\gamma}) / N^{\text{MC}}_{\text{TOT}}(K^+_{e2\gamma})$$

$$\text{Acc}(K^+_{e2\gamma}) \sim 7\%$$

$\sim 10\text{k } K^+_{e2\gamma} (SD^+)$  candidates  
 Bkg/Data  $\sim 5\%$  (mainly  $K_{e3}$ )



# Form Factors Fit

A  $\chi^2$  fit has been performed to the measured X spectrum using the distribution expected from the ChPT models;

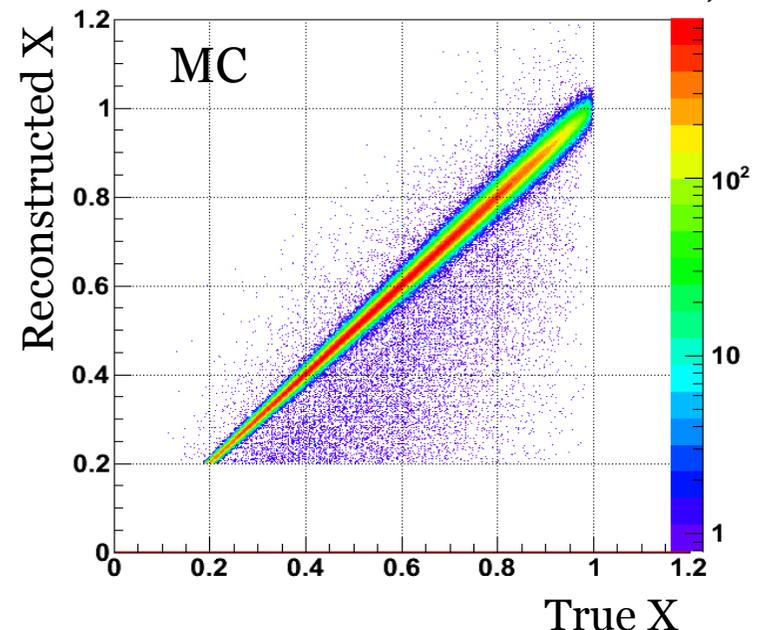
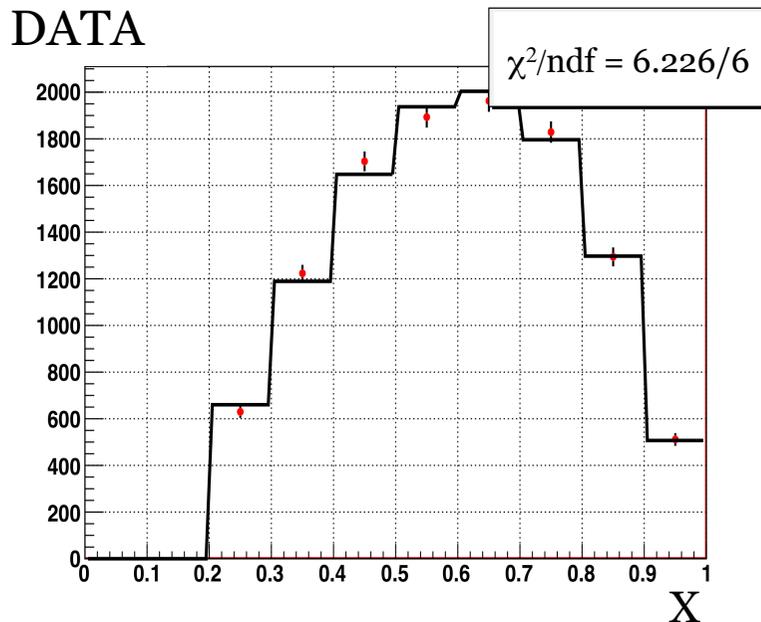
$$\frac{d^2\Gamma(K^+ \rightarrow e^+\nu\gamma)}{dxdy} = \frac{G_F^2 \sin^2 \theta_c M_K^5 \alpha}{64\pi^2} (V + A)^2 (1-x)(x-y-1)^2$$

Axial and Vector effective couplings used:

$A=0.034$ , as given by ChPT  $O(p^6)$ ; (PRD77 (2008) 014004)

$V=V_0(1+\lambda(1-X))$ ; (EPJC64 (2009) 627)

Smearing effects due to the **detector acceptance, resolution and mis-reconstruction** are convoluted with the theoretical distribution;





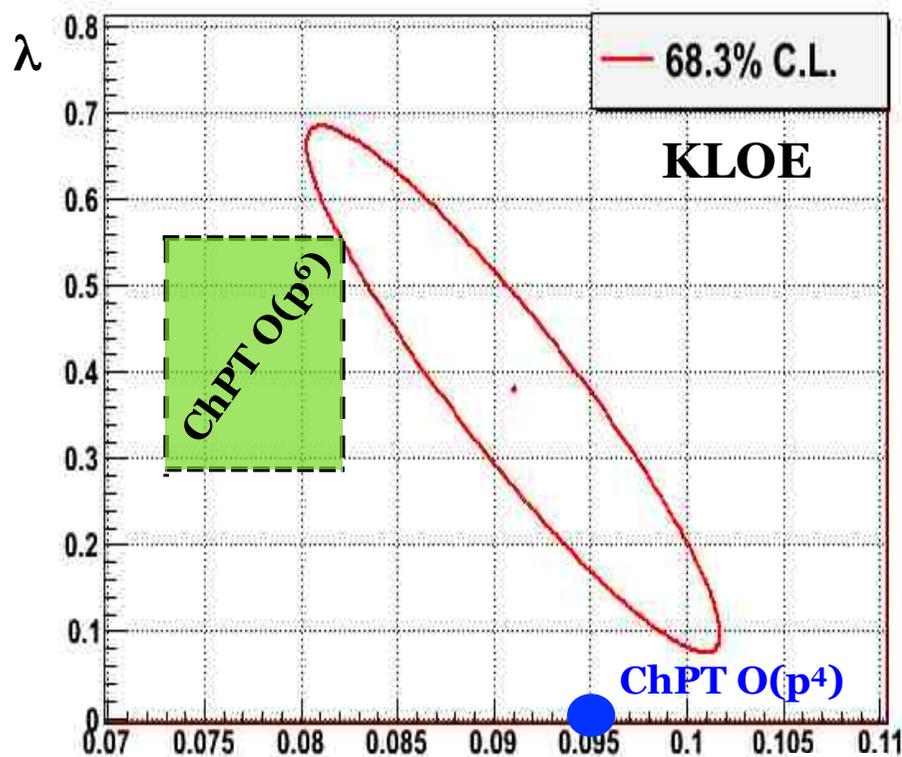
# Fit Results

Form Factor parameters with their uncertainties and the correlation coefficient represented with the standard error ellipse (68% C.L.)

**Analysis phase space region (K rest frame):**

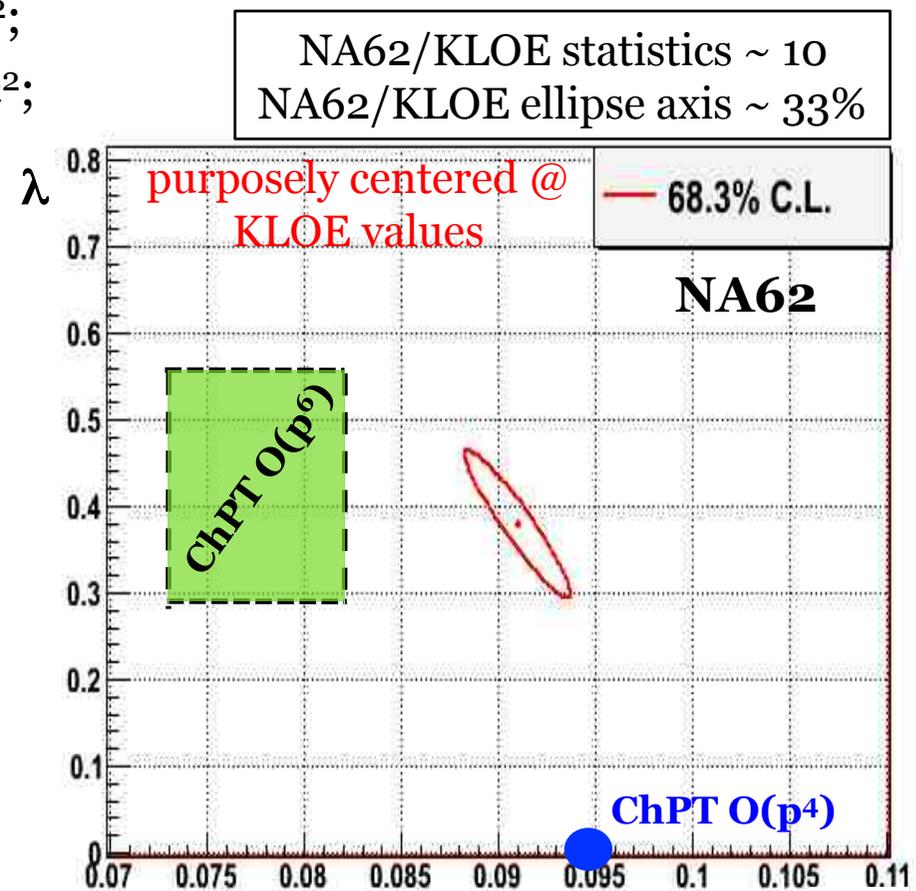
KLOE:  $p_e > 200\text{MeV}/c$ ,  $E_\gamma > 10\text{MeV}/c^2$ ;

NA62:  $E_e > 235\text{MeV}/c^2$ ,  $E_\gamma > 50\text{MeV}/c^2$ ;



KLOE: Dominated by stat errors  $V_0$

(EPJC64 (2009) 627), (NPB684(2004)281)



NA62:  $V_0$

Significant systematic uncertainty expected

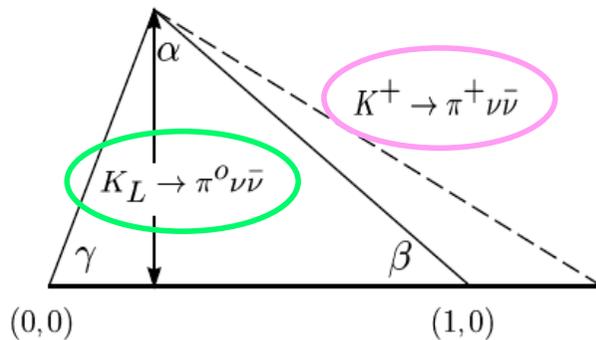
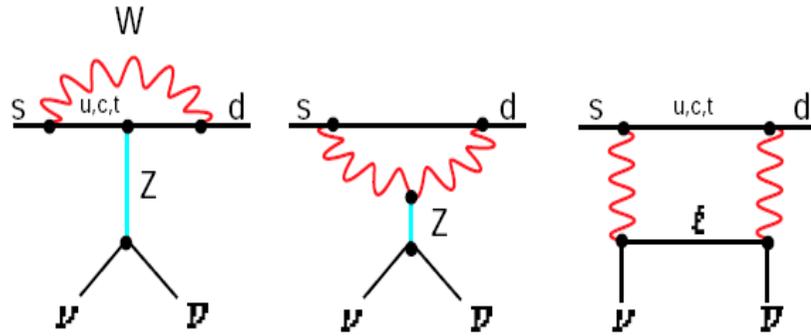


***NA62-II:***

***$BR(K^+ \rightarrow \pi^+ \nu \bar{\nu})$***



# Motivations



**BR( $K^+ \rightarrow \pi^+ \nu \bar{\nu}$ ):**

- ✓ FCNC process forbidden at tree level;
- ✓ Only **one-loop** contributions: box & penguin diagrams;
- ✓ Dominated by **Top quark** contribution;

✓ Very **clean theoretical prediction**: hadronic matrix element extracted from  $\text{BR}(K \rightarrow \pi e \nu)$ ;

✓ Cleanest way to extract  $V_{td}$  and to give independent determination of the **kaon unitarity triangle**;

✓ Complementarity with **B physics**;

✓ Very sensitive to **New Physics**;

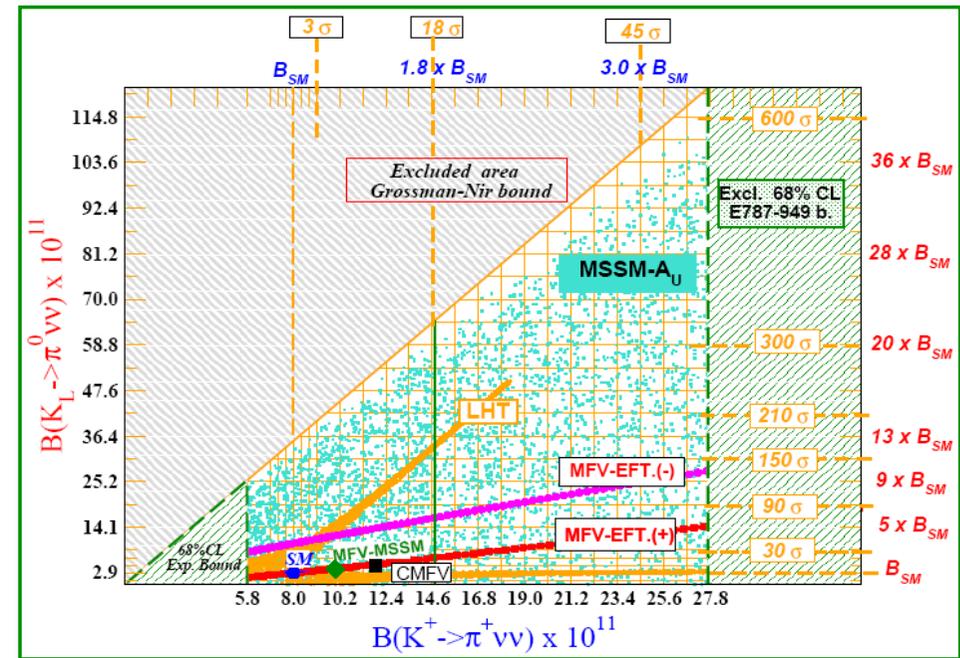
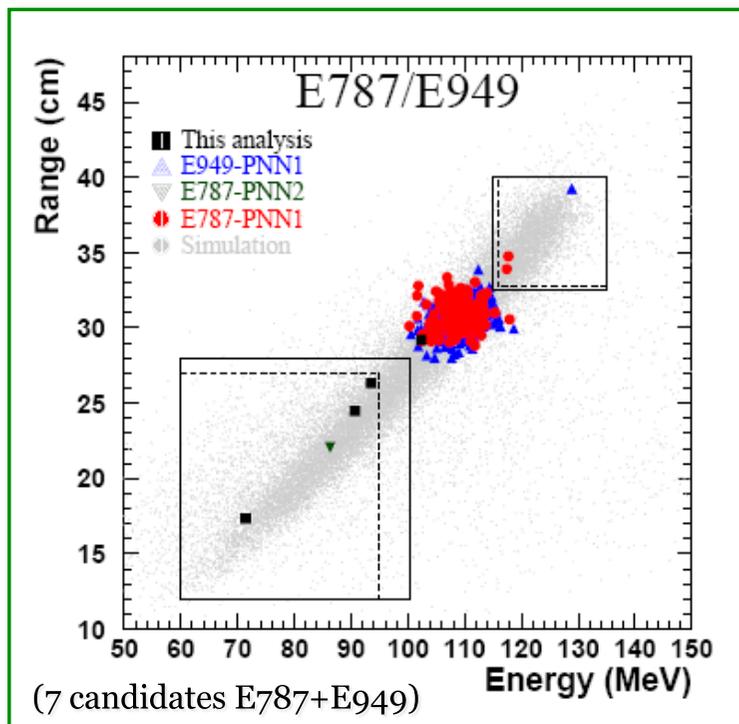
	Short distance	Irreducible error	$\text{BR}_{\text{SM}}$
$K_L \rightarrow \pi^0 \nu \bar{\nu}$	>99%	1%	$3 \cdot 10^{-11}$
$K^+ \rightarrow \pi^+ \nu \bar{\nu}$	<b>88%</b>	<b>&lt;3%</b>	<b><math>8 \cdot 10^{-11}</math></b>
$K_L \rightarrow \pi^0 e^+ e^-$	38%	15%	$3.5 \cdot 10^{-11}$
$K_L \rightarrow \pi^0 \mu^+ \mu^-$	28%	30%	$1.5 \cdot 10^{-11}$



# NP -Experimental Status



- Several NP models: SUSY, MSSM (with or without new sources of CPV or FV), 5-dim split fermions, topcolor, multi Higgs, light goldstino, extra-dimensions ...
- Possibility to distinguish among different models



$$\text{BR}(K^+ \rightarrow \pi^+ \nu \nu)_{\text{THEORY}} = (0.85 \pm 0.07) \times 10^{-10}$$

$$\text{BR}(K^+ \rightarrow \pi^+ \nu \nu)_{\text{EXP}} = 1.73^{+1.15}_{-1.05} \times 10^{-10}$$

(based on 7 events)

(E787/E949, Phys.Rev.Lett.101, 191082(2008))

$K^+ \rightarrow \pi^+ \nu \nu$  probe of unique sensitivity for NP BSM

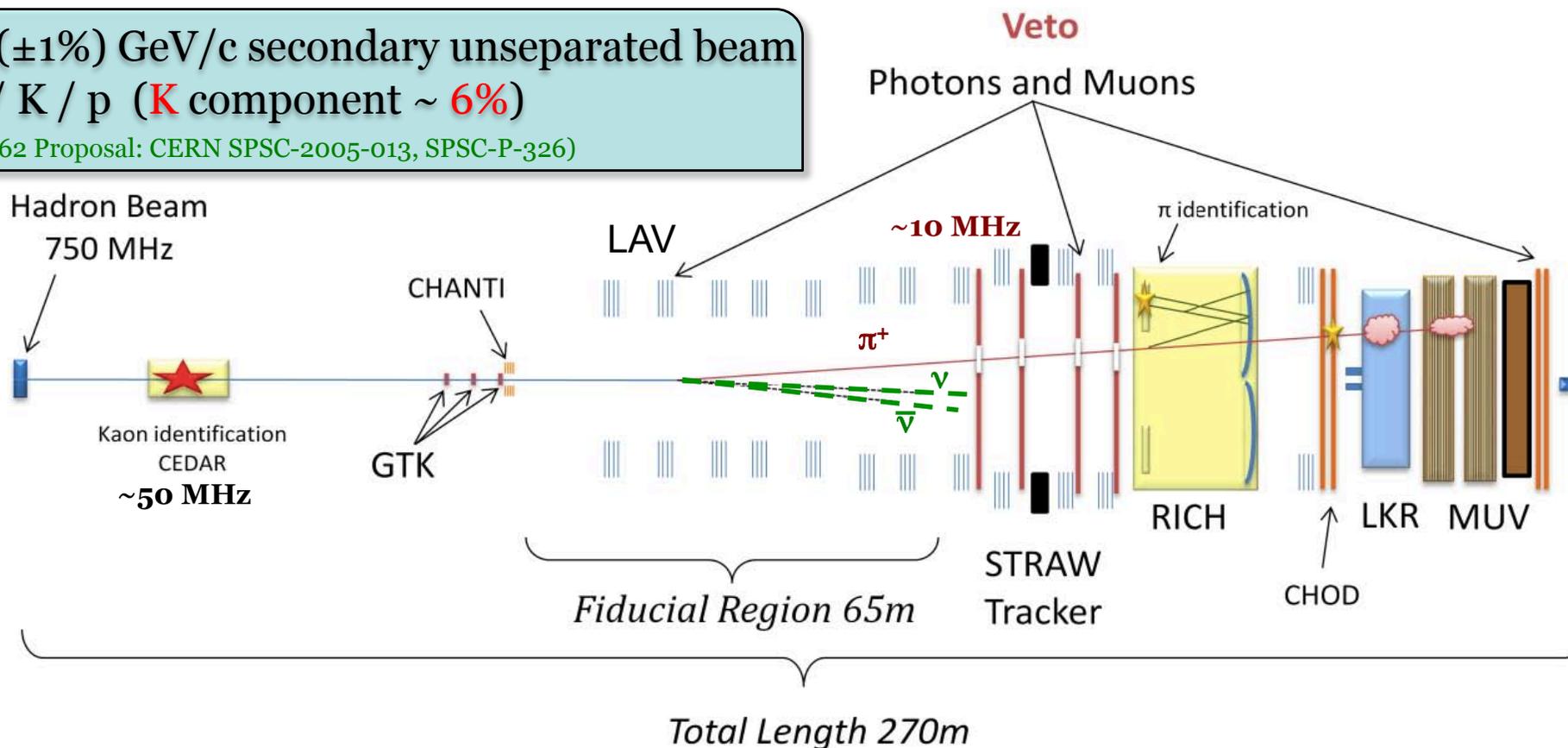


# NA62 Detector Layout

SPS primary protons on target: 400 GeV/c ( $3 \times 10^{12}$  ppp)

75( $\pm 1\%$ ) GeV/c secondary unseparated beam  
 $\pi / K / p$  (K component  $\sim 6\%$ )

(NA62 Proposal: CERN SPSC-2005-013, SPSC-P-326)



- ✓ Kaon decays in flight to avoid scattering and bkg induced by the stopping target;
- ✓ High momentum beam to improve bkg rejection;
- ✓ **NA62-II Goal: BR( $K^+ \rightarrow \pi^+ \nu \nu$ ) measurement with  $\sim 10\%$  accuracy;**

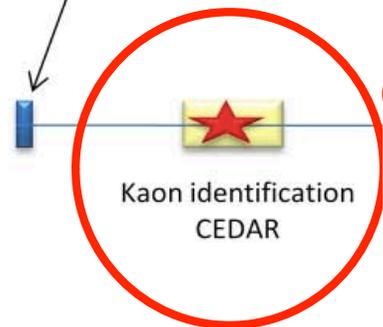
**NA62-II Strategy:** Collect O(100) events  $K^+ \rightarrow \pi^+ \nu \nu$  with ratio Signal/Bkg  $\sim 10$ ;



75( $\pm 1\%$ ) GeV/c secondary unseparated beam  
 $\pi / K / p$  (**K** component  $\sim 6\%$ )

(NA62 Proposal: CERN SPSC-2005-013, SPSC-P-326)

Hadron Beam  
750 MHz



(**K component  $\sim 50\text{MHz}$** )

# ChErenkov Differential counters with Achromatic Ring focus (CEDAR)

UK responsibility

Fiducial Region 65m

Tracker

RICH

CHOD

LKR

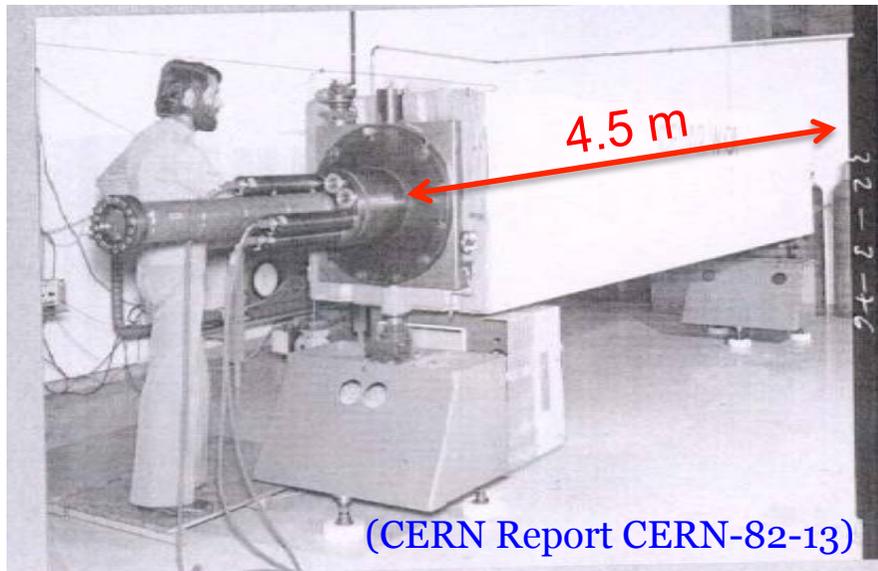
MUV

Total Length 270m

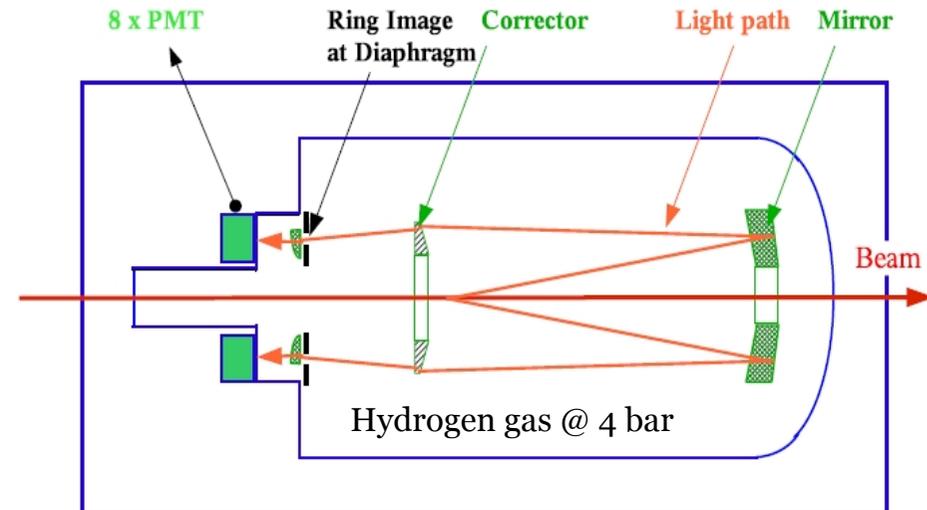


# The CEDAR detector

The Kaon identification detector for the NA62 rare Kaon decay experiment at CERN



Upgraded form of the CEDAR built for the SPS secondary beams.



**CEDAR challenge:**

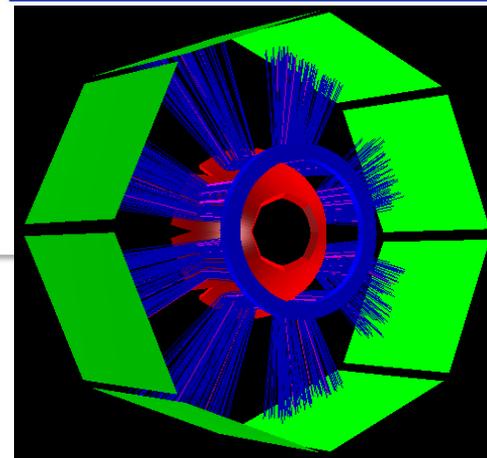
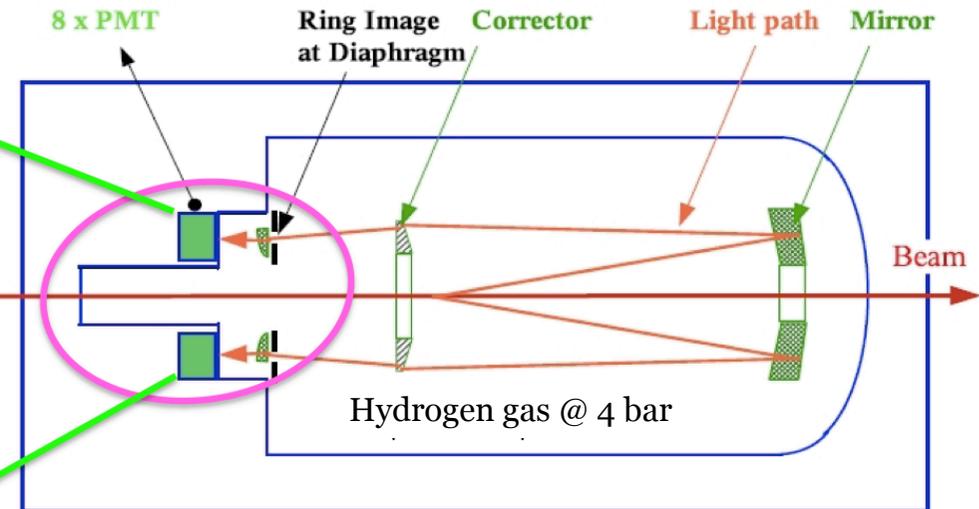
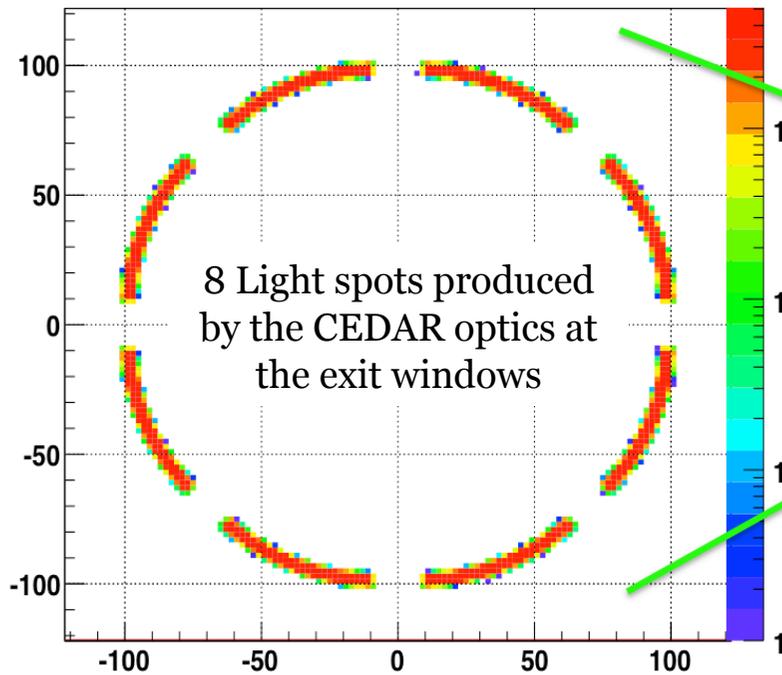
High Intensity  $\sim 800$  MHz  
incoming hadron beam

- ✓ The CEDAR is used to identify Kaons in the beam using Cherenkov light;
- ✓ The CEDAR is blind to all particles except Kaons (i.e. the wanted type);
- ✓ A diaphragm blocks the light from other particles;
- ✓ Nevertheless the rate is very high  $\sim 50$  MHz (average);



# CEDAR: Optics

Existing photon detectors and associated readout are not suitable and need to be replaced



New CEDAR concept:  
light spots enlarged to  
spread the photon rate  
← on bigger areas

Projection of Cherenkov light from  
the exit windows to the photo-  
detector (PMT) planes

Exit windows  
Spherical mirrors  
PMT planes



# ***CEDAR: Requirements***

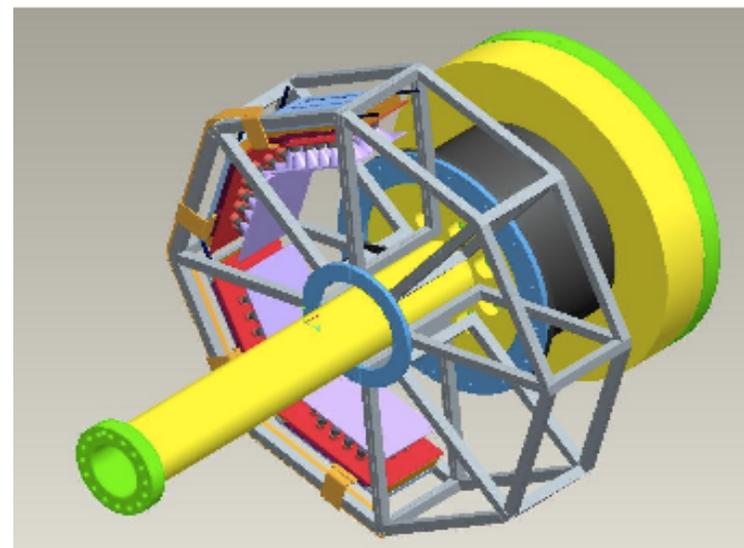
- ✓ **K<sup>+</sup> particle ID** in a high-intensity hadron beam;
- ✓ **K<sup>+</sup> ID efficiency** of at least 95%;
- ✓ **Resolution** on K<sup>+</sup> crossing time  $\sim 100$  ps;

Real world (average values):

- K<sup>+</sup> beam  $\sim 50$  MHz;
- Cherenkov light yield at the Exit windows  $\sim 250 \gamma / K$ ;

**New Photo-Detector system:**

- ✓ High Cherenkov light collection efficiency;
- ✓ Fast Response;
- ✓ Limited Anode current (due to rate on PMT);





# ***CEDAR: Simulation***

A simulation based on a Montecarlo to decide for the best PMT configuration optimizing the CEDAR performances

The MC includes:

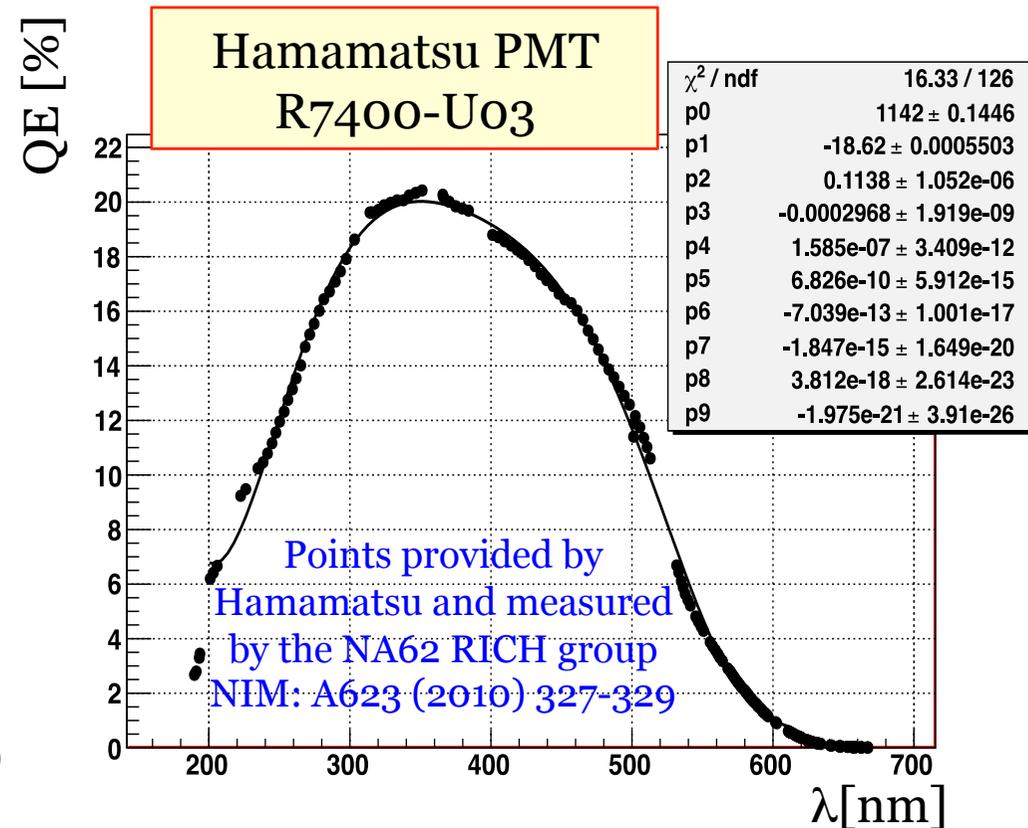
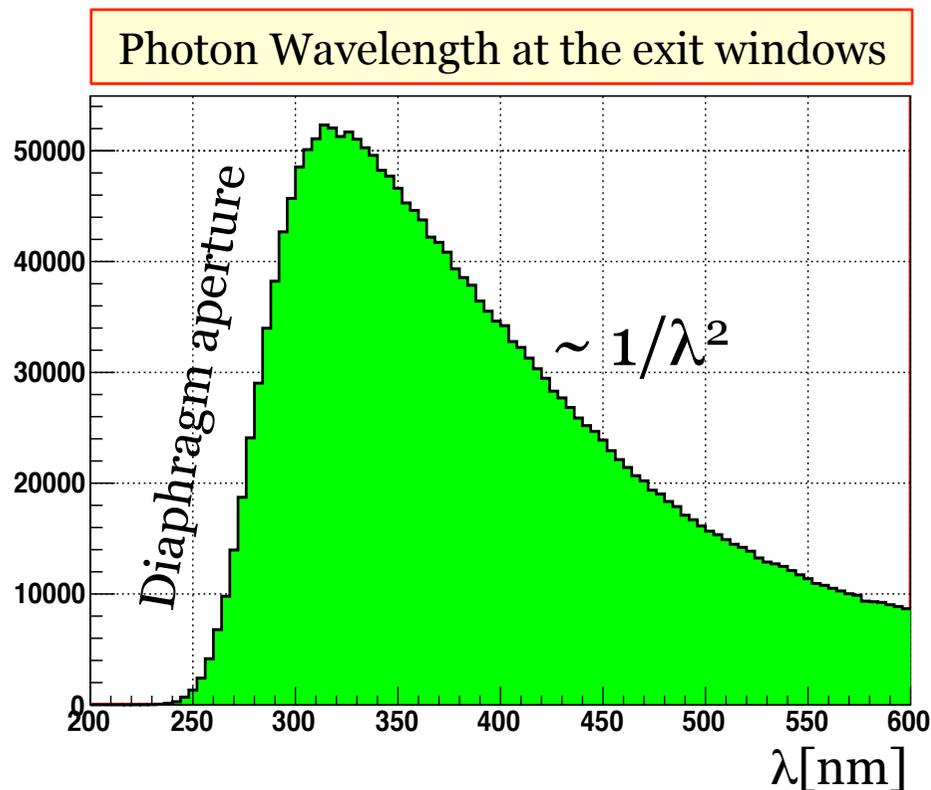
- Averaged Kaon Rate (50MHz);
- Cherenkov Photon production and tracking through optics;
- Reflection in a spherical mirror + projection on PMT plane;
- Light collection system + Photo-Detector layout;
- PMT Quantum Efficiency as a function of Cherenkov  $\lambda$ ;
- Inefficiency due to pile-up events, electronics dead time and limitation of the readout system;
- Estimate of Kaon ID Inefficiency & Time resolution;



# MC: Input Parameter

Cherenkov Photons generated according to:

- ✓ Cherenkov radiation trajectory:  $\cos\theta_c = 1/\beta n$ ;
- ✓ Frank Tamm equation:  $\frac{d^2N}{d\lambda dx} = \frac{2\pi\alpha}{\lambda^2} \cdot \sin^2\theta_c$ ;
- ✓ Wavelength spectrum  $\sim 1/\lambda^2$  in the range [200,600]nm;





# MC: Model Evaluation

- ✓ Reflection in a spherical mirror + projection on PMT plane;
- ✓ Light collection efficiency  $\sim 85\%$ ;
- ✓ PMT (Hamamatsu R7400-U03) QE( $\lambda$ );

Photon XY distribution on PMT plane

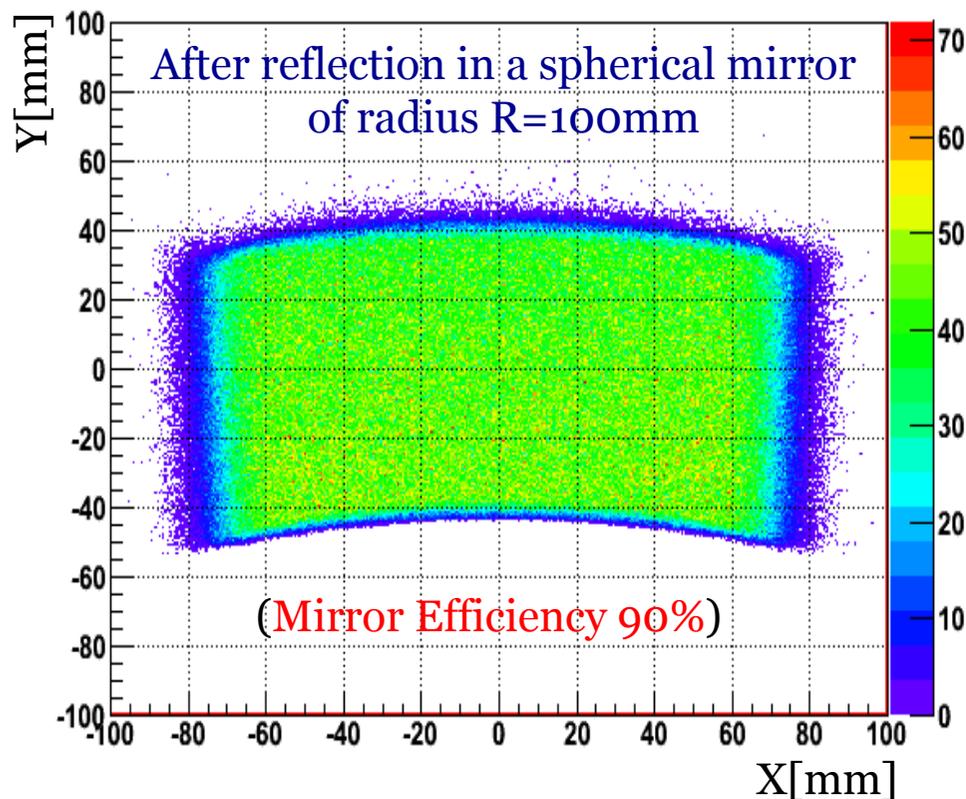
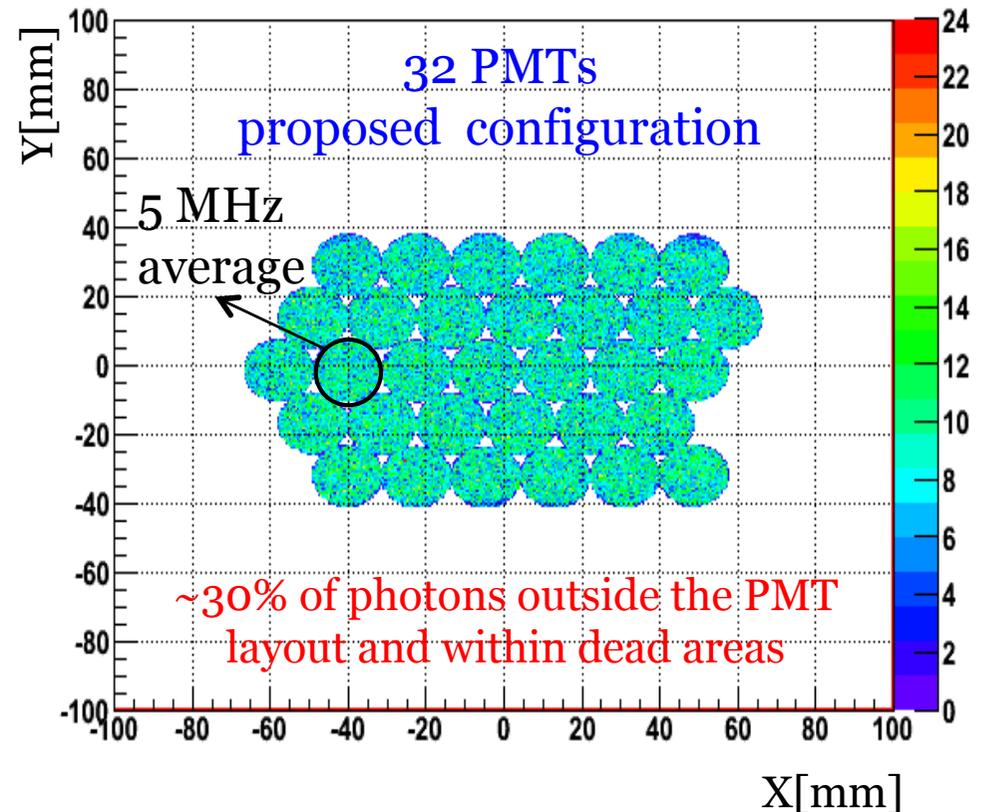


Photo-Electron XY distribution on PMT plane





# Photon Collection Efficiency



Detected photons  $\sim 12\%$  of total photons at the exit windows;

- **Efficiencies affecting:**

- 0.90 (Mirror Efficiency);
- 0.70 (PMT layout geometrical Acceptance);
- 0.85 (Light Guide Efficiency);
- PMT QE( $\lambda$ );

Detected photons are classified as:

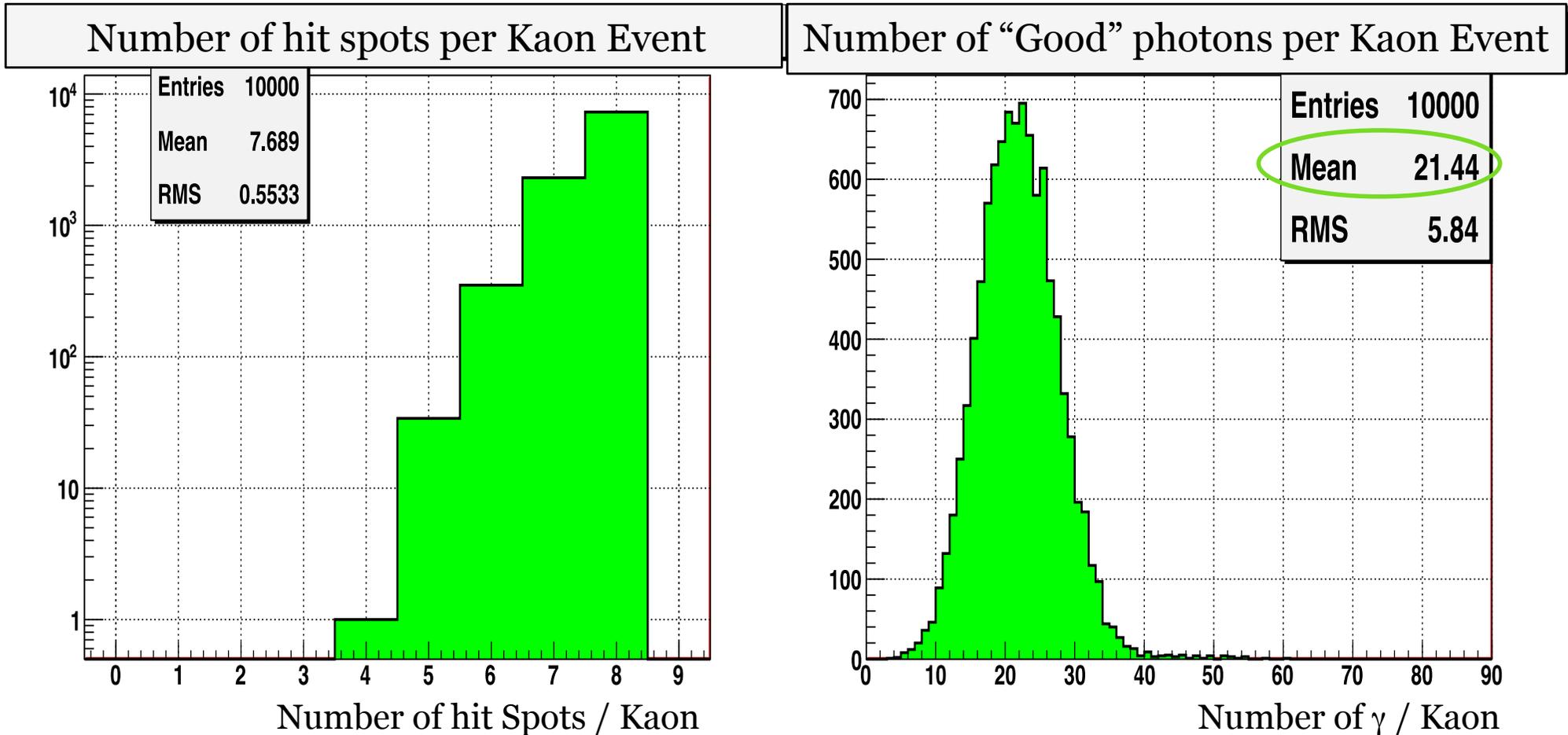
- **“Inefficient”:**

- if overlap on PMT within the same Kaon Event  $\sim 5\%$
- if overlap on PMT from different Kaons with  $\Delta t < T_{\text{dead}} (\sim 20\text{ns}) \sim 6\%$



# Mc: Results

Number of “Good” Photons and Hit Spots, obtained after the considered inefficiencies, are used to evaluate the Kaon identification (ID) Inefficiency.





# Kaon ID Inefficiency & Time resolution

The probability to have a number of “Good” photons  $N < N_{\min}$ ;

$N_{\min}$  ensuring:

- A number of hit spots suitable for the Kaon ring reconstruction;
- A number of photons necessary to achieve the Kaon Time Resolution

( $\sigma_{TK}$ ):

$$\sigma_{TK} = \frac{\sigma_{T\gamma}}{\sqrt{N_{\min}}}$$

Considering NA62 RICH test results on R7400U3 PMTs ->  $\sigma_{T\gamma} \sim 300\text{ps}$

<b>AND</b>	# photons $\geq 9$ ( $\sigma_T(K) \sim 100\text{ ps}$ )	# photons $\geq 10$ ( $\sigma_T(K) \sim 95\text{ ps}$ )	# photons $\geq 11$ ( $\sigma_T(K) \sim 90\text{ ps}$ )
# hit spots $\geq 5$	0.61 %	1.12 %	1.84 %
# hit spots $\geq 6$	0.72 %	1.23 %	1.93 %
# hit spots $\geq 7$	<b>2.74 %</b>	<b>3.19 %</b>	<b>3.80 %</b>

Required  
Inefficiency  
< 5%

Kaon Time  
Resolution  
 $\sim 100\text{ ps}$



# Conclusions

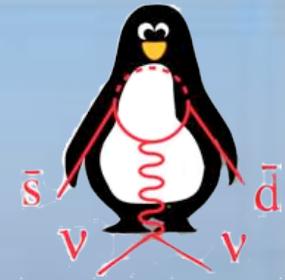


## NA62 Phase I:

- The  $R_K = \Gamma(K_{e2}) / \Gamma(K_{\mu2})$  precise measurement ( $\sim 0.5\%$ ) is a very powerful tool to constrain new physics parameters in case of presence of LFV mediators;
- A comprehensive analysis of the radiative process  $K^+ \rightarrow e^+ \nu \gamma$  is being performed using the same data sample;
- **Model independent BR( $SD^+$ , NA62 phase space)** can be evaluated  $\sim 2\%$  precision;

## NA62 Phase II:

- The study of the  $K^+ \rightarrow \pi^+ \nu \nu$  decay is a good opportunity to find NP or to distinguish among different models;
- The positive Kaon identification will be achieved with a **Cherenkov counter (CEDAR)**;
- R&D of new optics, photodetectors and readout electronics is in progress;



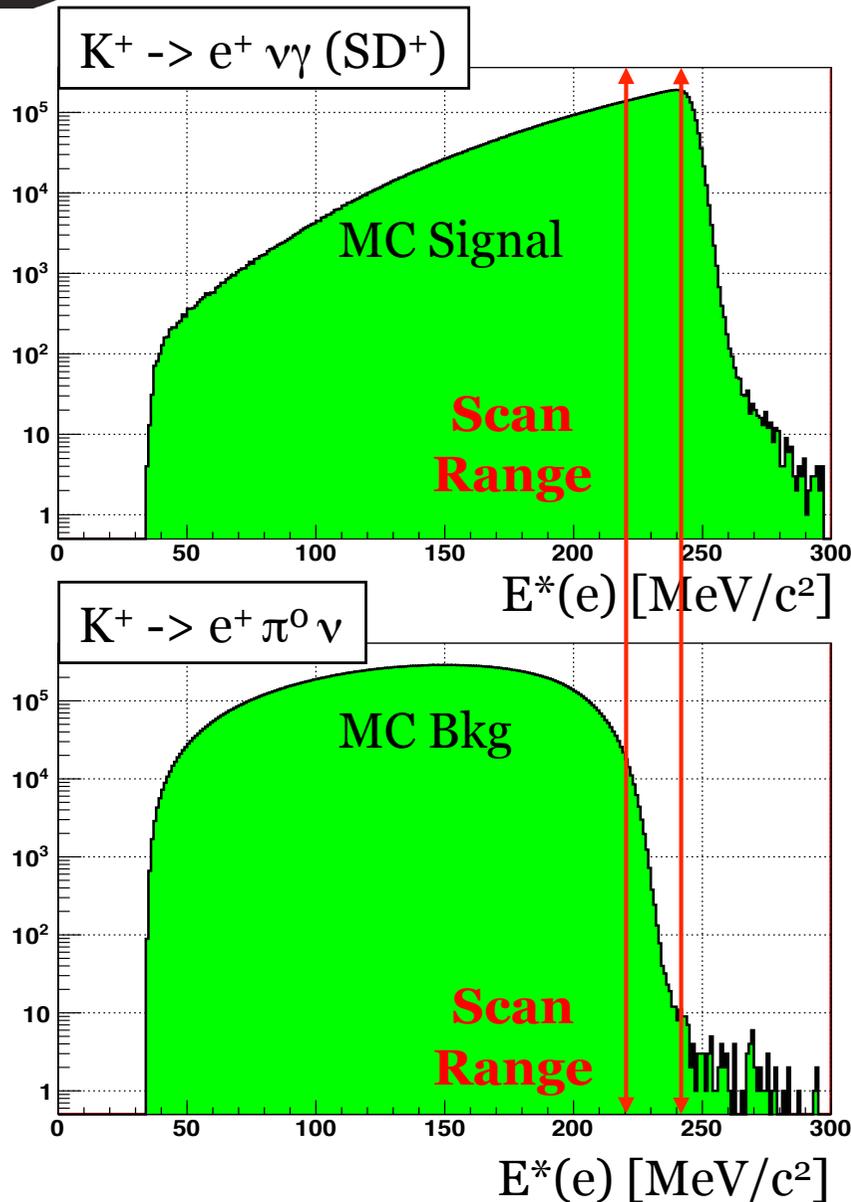
# *Spares*

*3<sup>rd</sup> Year PhD Student, School of Physics and Astronomy*

*Angela Romano*



# Kaon Rest Frame Kinematics



**Electron Energy  
in Kaon Rest Frame  
 $E^*(e)$  [MeV/c<sup>2</sup>]**

Used to reject background coming from  $K^+ \rightarrow e^+ \pi^0 \nu$  decay channel.

To decide for a lower CUT value a scan of  $E^*_{\min}$  was performed.

Looking at the Electron Energy distributions in the Kaon Rest the **scan range** was set between:

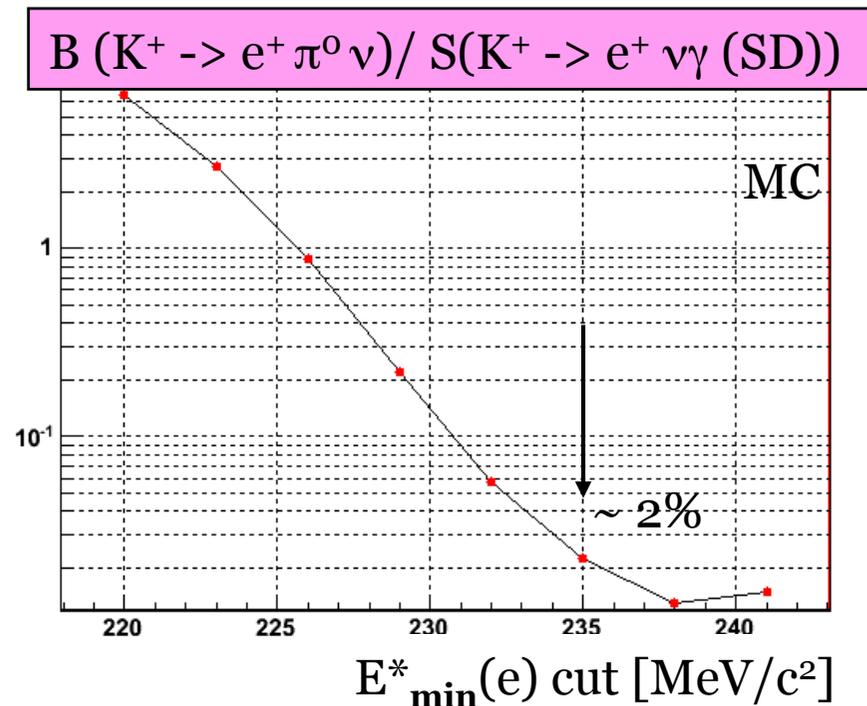
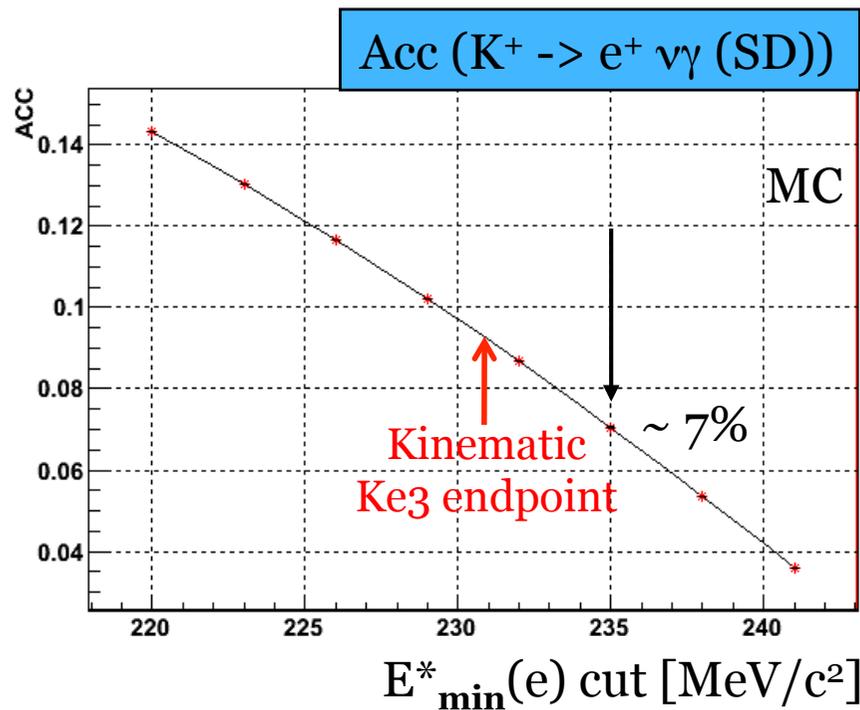
$$(220 < E^*_{\min}(e) < 241) \text{ MeV}/c^2$$



# Kaon Rest Frame Kinematics

Acceptance:  $Acc(i) = N_{final}(i)/N_{TOT}(i)$   
where  $N_{final}(i)$  are  $N(i)$  which pass the selection

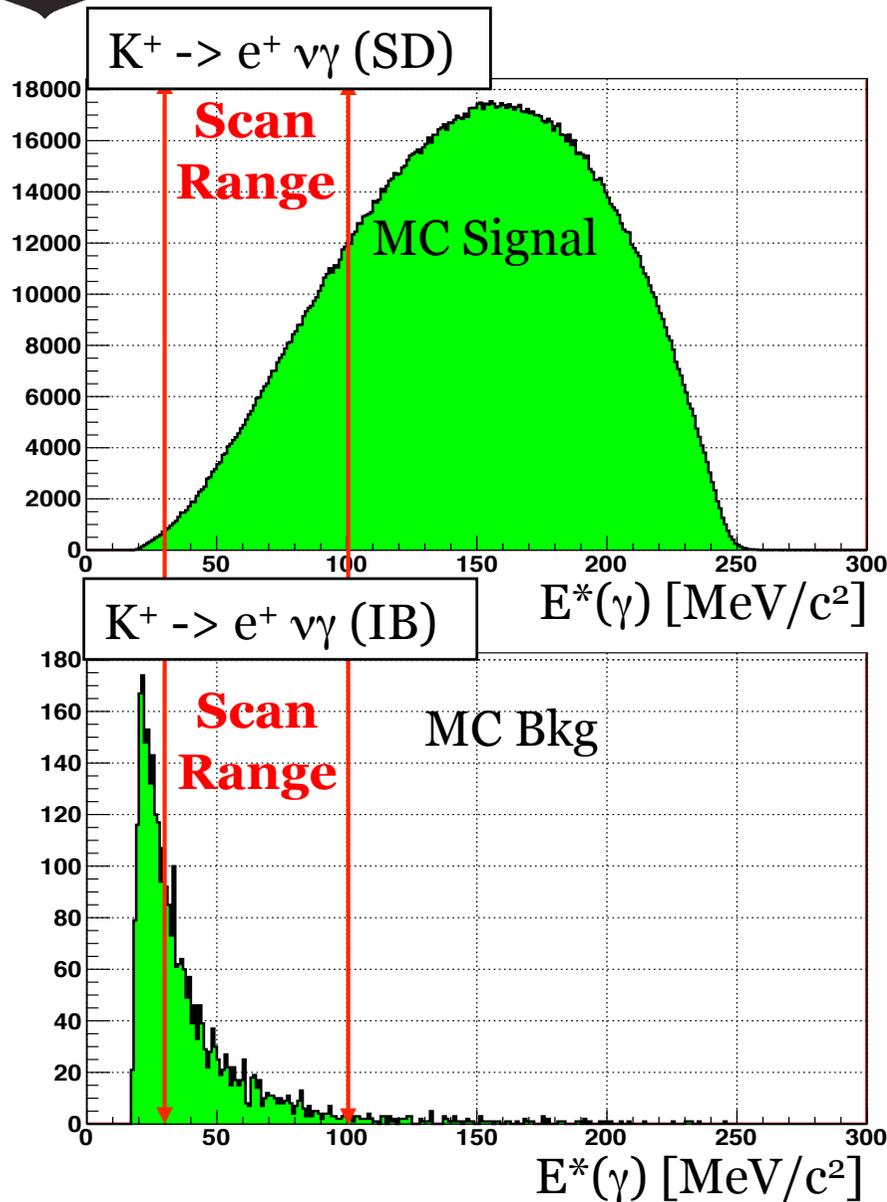
Background-Signal ratio:  
 $B(j)/S(i) = N_{final}(j)/N_{final}(i)$ ,  
- j is the background channel  
- i is the signal channel



Kaon Rest Frame Electron Energy lower cut:  $E^*_{min}(e) = 235 \text{ MeV}/c^2$



# Kaon Rest Frame Kinematics



Photon Energy  
in Kaon Rest Frame  
 $E^*(\gamma)$  [MeV/c<sup>2</sup>]

Used to reject background coming from  $K^+ \rightarrow e^+ \nu \gamma$  (IB) decay channel

To decide for a lower CUT value a scan of  $E^*_{\min}$  was performed.

Looking at the Photon Energy distributions in the Kaon Rest Frame the **scan range** was set between:

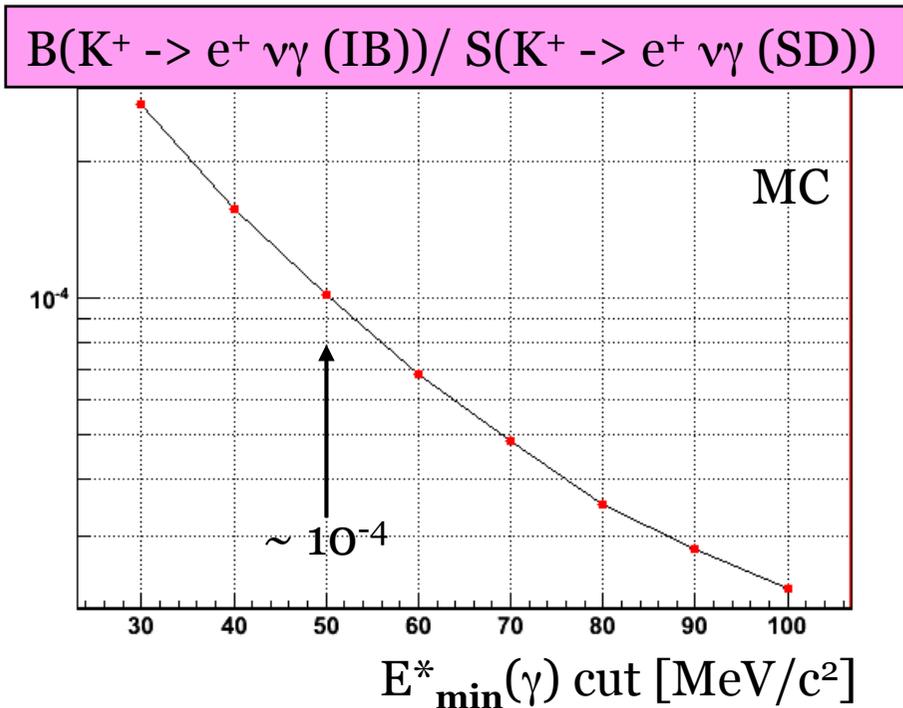
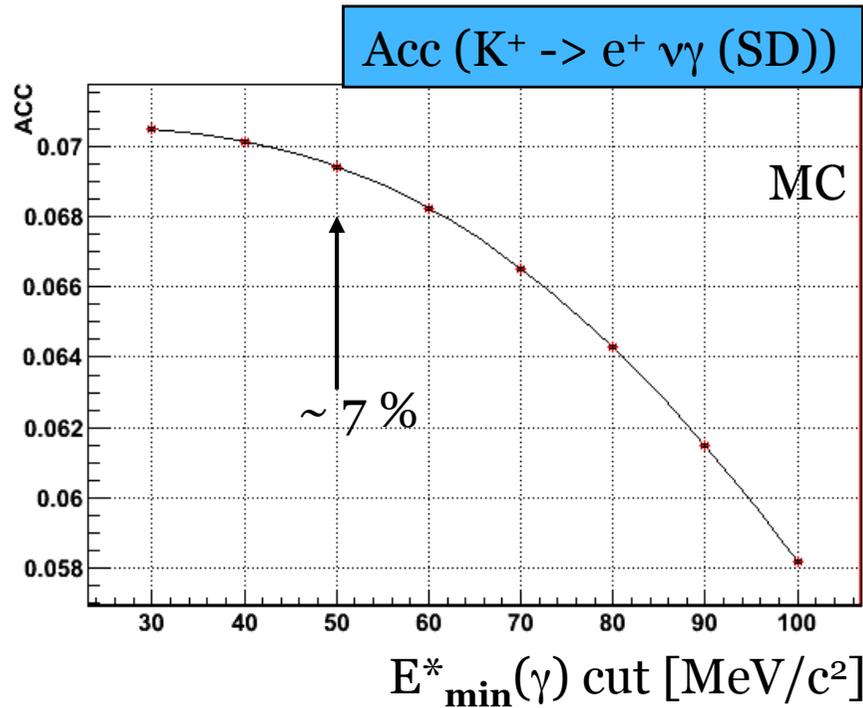
$$(30 < E^*_{\min}(\gamma) < 100) \text{ MeV/c}^2$$



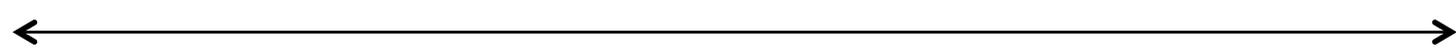
# Kaon Rest Frame Kinematics

Acceptance:  $Acc(i) = N_{final}(i)/N_{TOT}(i)$   
where  $N_{final}(i)$  are  $N(i)$  which pass the selection

Background-Signal ratio:  
 $B(j)/S(i) = N_{final}(j)/N_{final}(i)$ ,  
- j is the background channel  
- i is the signal channel



Kaon Rest Frame Photon Energy lower cut:  $E^*_{min}(\gamma) = 50 \text{ MeV}/c^2$



# Conclusions $K^+ \rightarrow e^+ \nu \gamma (SD^+)$

- A comprehensive study of the process  $K^+ \rightarrow e^+ \nu \gamma (SD^+)$  is being performed;
  - About 10k candidate events with a  $\sim 5\%$  background contamination;
- Total uncertainty is dominated by the background subtraction (mainly  $K_{e3}$ );
  - signal kinematic region is affected by non gaussian tails above the  $K_{e3}$  kinematic endpoint:  $y_{K_{e3}}^{\max} = 0.923 < y_{K_{e2\gamma}}^{\max} = 1$
- Model independent BR( $SD^+$ , NA62 phase space) can be evaluated with a  $\sim 2\%$  precision;
- $SD^+$  FFs and extraction of V,A effective coupling:
  - KLOE results are in agreement with the expectations from ChPT and confirm at  $\sim 2\sigma$  the presence of a slope in V (as predicted in  $O(p^6)$ )
  - NA62 results will get advantages from the large data sample providing that the background is kept reasonably under control



# NA62 Strategy

## Event Reconstruction (Acc ~ 10%)

Detectors upstream the decay region on unseparated beam (~800 MHz)

**CEDAR:** Diff Cherenkov counter for  $K^+$  tagging and time measurement;

**GIGATRACKER:** Beam spectrometer for Kaon momentum, time and angular measurements;

Detectors downstream the decay region (~10 MHz)

**STRAW:** Magnetic Spectrometer for direction and momentum measurements of charged decay products;

**RICH:** Ring Image Cherenkov for m/p separation and pion crossing time measurement;

## Bkg rejection (at ~ $10^{12}$ level)

**LAV:** Counters surrounding the vacuum tank providing full coverage for photons at large angles;

**LKR:** Electromagnetic calorimeter built for the NA48 experiment for the photon veto in the forward region;

**IRC/SAC:** Photon veto at small and intermediate angles;

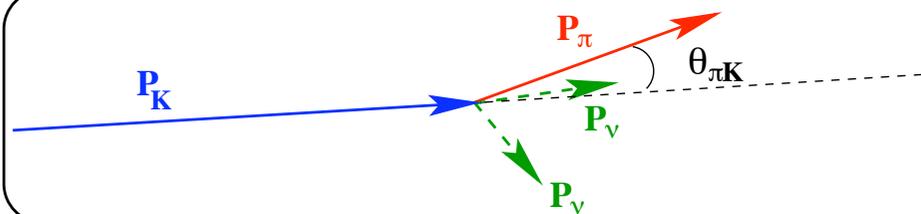
**ANTI-o:** Ring counters to veto charged particles coming from the collimator;

**HAC/MUV:** Hadron calorimeter and Muon veto detector;

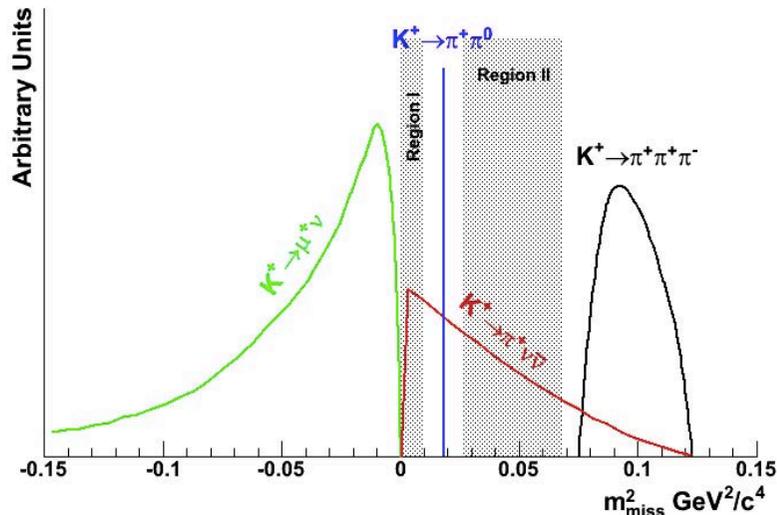


# Experimental Strategy

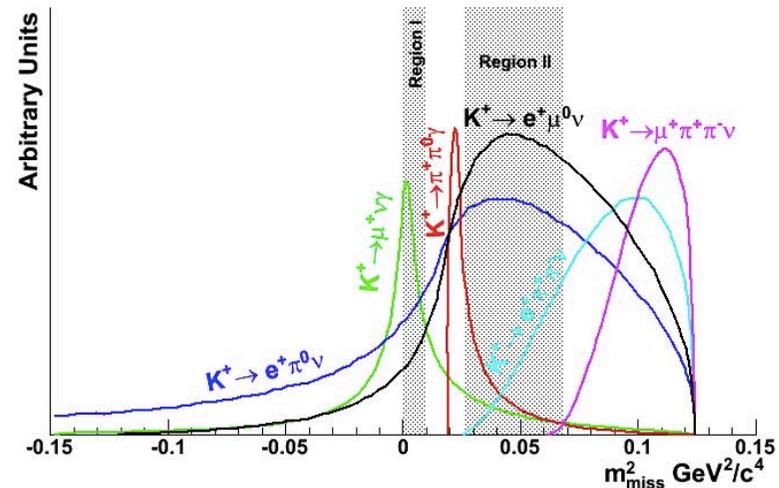
Sensitivity is NOT limited by protons flux !  
Sensitivity is limited by backgrounds..



$$m_{miss}^2 \cong m_K^2 \left( 1 - \frac{|P_\pi|}{|P_K|} \right) + m_\pi^2 \left( 1 - \frac{|P_K|}{|P_\pi|} \right) - |P_K| |P_\pi| \theta_{\pi K}^2$$



**92% Kinematically constrained bkg**



**8% Not kinematically constrained bkg**

**NA62 Strategy:** Collect O(100) events  $K^+ \rightarrow \pi^+ \nu \nu$  with ratio Signal/Bkg  $\sim 10$ ;



# *Experimental Principles*

- ✓ **Kaon Flux:** K decays/year  $4.8 \times 10^{12}$ ;
- ✓ **Systematics**  $< 10\%$ ;
- ✓ **Kinematical Rejection:**  $(P_{\pi}, P_K, \theta_{\pi K})$ ;  
Low mass tracking (GigaTracker (GTK) + Straw Chamber Spectrometer)
- ✓ **Particle Identification (PID):**  $(K_{ID}, \pi_{ID})$ ;  
K/ $\pi$  (CEDAR),  $\pi/\mu$  (RICH)
- ✓ High efficiency **Veto**s:  
 $\gamma$  (Large Angle Veto (LAV) + Liquid Krypton Cal (LKR) (NA48) + Small Angle Cal (SAC) + CHANTI;  
 $\mu$  (Muon Veto (MUV))
- ✓ **Precise timing:** association of daughter particle ( $\pi^+$ ) to the correct incoming parent particle ( $K^+$ ) in a  $\sim 800$  MHz beam;  
(GTK, CEDAR & RICH time resolution,  $\sigma(t) \sim 100$  ps)



# *Background Rejection*

## Main Backgrounds:

- $K^+ \rightarrow \mu^+ \nu$  (BR  $\sim 63\%$ );
- $K^+ \rightarrow \pi^+ \pi^0$  (BR  $\sim 21\%$ );

## Signal Signature:

- ✓ Incoming high momentum (75 GeV/c)  $K^+$  ;
- ✓ Outgoing low momentum ( $< 35$  GeV/c)  $\pi^+$  ;

**For  $K^+ \rightarrow \pi^+ \pi^0$  decay:  $p_{\pi^0} > 40$  GeV/c  $\rightarrow$  Photons hardly undetected ☺**

## Background rejection @ level $\sim 10^{-12}$ :

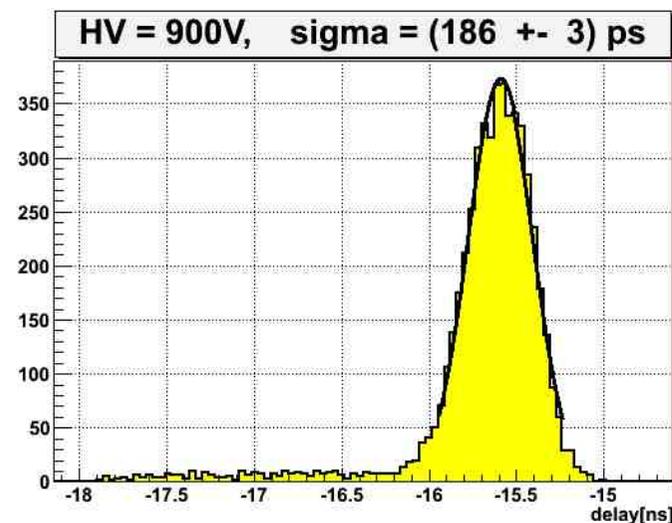
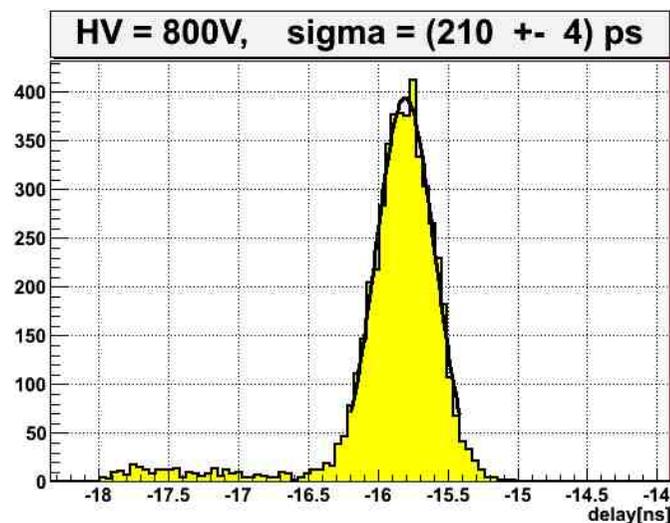
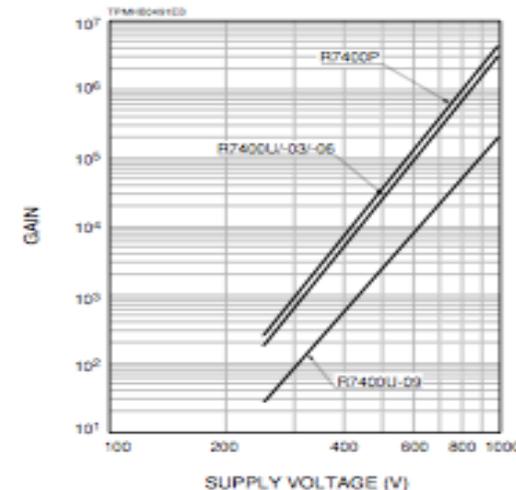
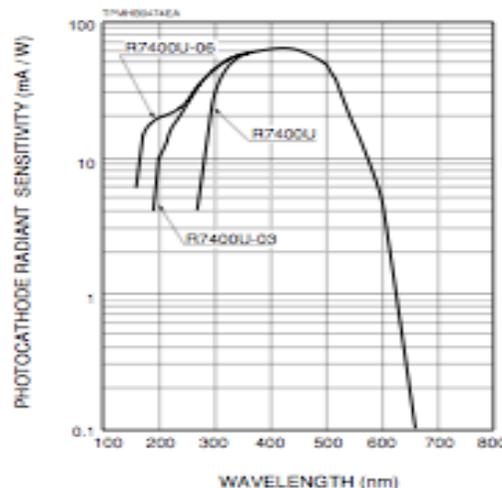
- Kinematics  $\sim 10^{-5}$
- Vetoes  $\sim 10^{-5}$
- PID  $\sim 5 \cdot 10^{-3}$



# Hamamatsu Photomultiplier Tube: R7400-U03



- Metal package tube
- 16mm dd
- 8mm active dd
- 185nm–650nm
- 420nm peak sensitivity
- UV glass window
- Bialkali cathode
- Gain:  $7 \times 10^5$
- Transit time: 5.4ns
- Transit time spread: 0.28ns
- Number of dynodes: 8
- Applied Voltage: 800V (1000Vmax)



Very powerful for Single photoElectron Response (SER) measurements:  $\sigma_{T,\gamma} \approx 2.36 * \text{sigma}$   
sigma = standard deviation of the SER time distribution



# PMT Anode Current & Rate



PMT channels rate  $\sim (130\gamma \times 0.25)/(8 \times 36)$   
 $\sim 0.1\gamma$  @ 50MHz  
 $\sim 5\text{MHz}$

Photo-Electron Rate/mm<sup>2</sup>  $\sim (130\gamma \times 0.25 \times 50\text{MHz})/(8 \times 14400\text{mm}^2)$   
 $\sim 14\text{KHz/mm}^2$

Average/Peak Anode Current  $\propto$  (PE Rate/mm<sup>2</sup> x Gain)

Anode Current = PE rate/mm<sup>2</sup> x q(PE)  
 $\sim 14\text{KHz/mm}^2 \times 200\text{fC} \sim 2.8 \text{ nA/mm}^2$   
 $\sim 0.14 \mu\text{A per PM device}$

where  $200\text{fC} = 1\text{PE} \times G \times q(\text{E}) = 1 \times 10^6 \times 1.6 \times 10^{-19}$

Anode Average Current for R7400U3 PMTs is limited to 0.1mA  
(-> from datasheet)