Out-of-the-box Baryogengesis; Or how the relaxion already has a built-in baryogensis mechanism

[1810.05153]

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Work with S.A. Abel and R.S. Gupta

Contents

- Hierarchy Problem?
- Relaxion [1504.07551]
- Spontaneous Baryogenesis [Cohen, Kaplan, Nelson]
- They were meant to be together. [1810.05153]
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- Conclusions

Hierarchy Problem

Scalars pick up the mass-scale of whatever they couple to (probably the only accidentally well chosen name)



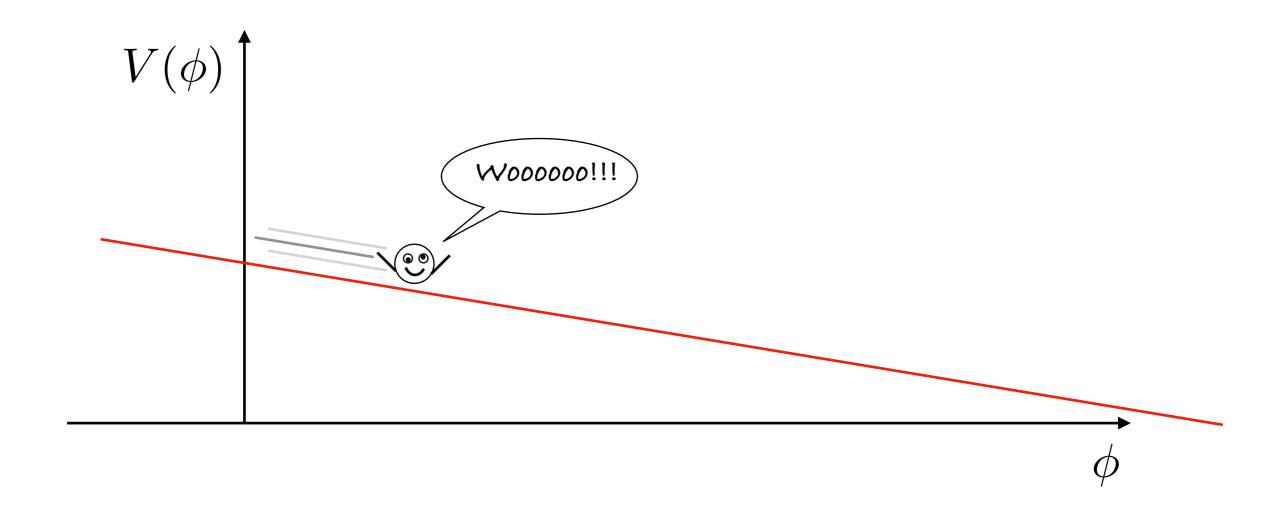
$$\delta\Pi(p \to 0) = \int_{m}^{m_{\rm pl}} \frac{dq^4}{(2\pi)^4} \frac{g}{q^2 + m^2} \approx \frac{g}{16\pi^2} \left(m_{\rm pl}^2 - m^2 \right) + \mathcal{O}(\log)$$

$$\frac{1}{p^2+m^2}+\frac{1}{p^2+m^2}\delta\Pi(0)\frac{1}{p^2+m^2}+\frac{1}{p^2+m^2}\delta\Pi(0)\frac{1}{p^2+m^2}\delta\Pi(0)\frac{1}{p^2+m^2}+\ldots=\frac{1}{p^2+m^2+\delta\Pi(0)}$$

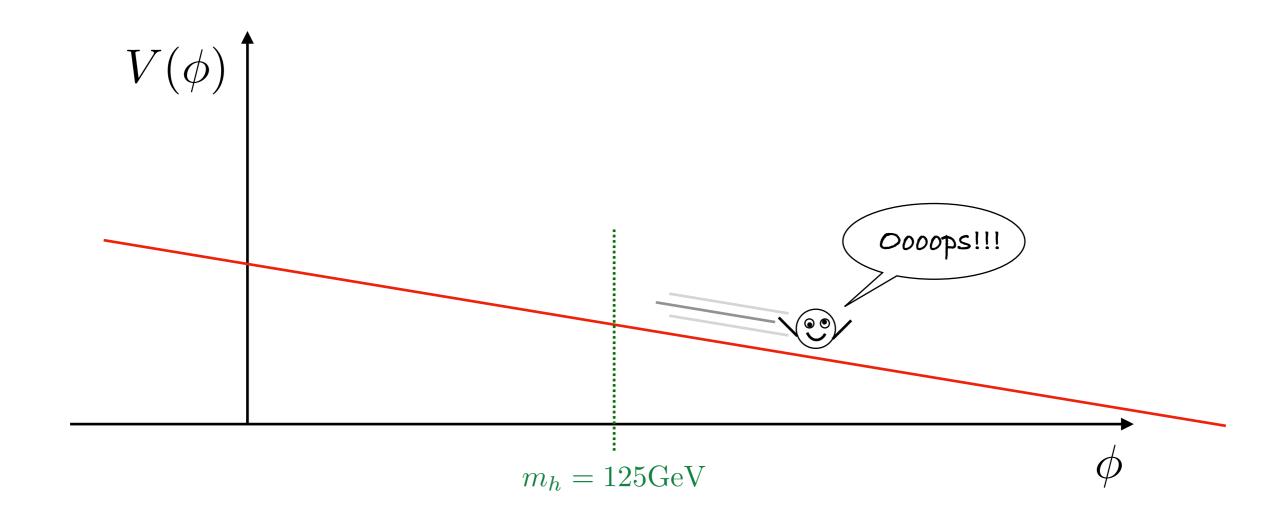
Hierarchy Problem

$$\delta m_H^2 \sim \frac{\lambda}{16\pi} \Lambda_{\rm cut}^2$$

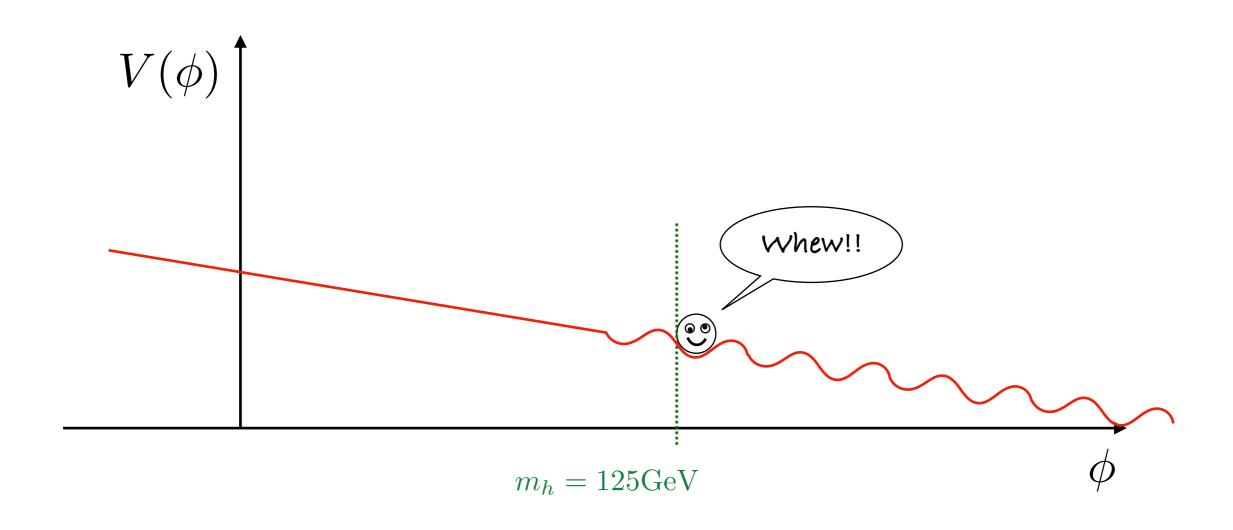
- Say I ignore the Planck corrections (claiming some quantum gravity magic/ignorance), I am forced into either of three scenarios:
 - A. There are no particles that couple to Higgs between the weak scale and Planck scale (at any appreciable loop level)
 - B. I fine-tune the theory: at some UV scale I set the Higgs bare mass as to precisely cancel all the contributions from all the loops.
 - C. If there any particles that couple to Higgs, they do so in a very peculiar way as to cancel/suppress the contribution to its mass: symmetries
 - D. Let dynamics determine the Higgs mass: The Relaxion[1504.07551]



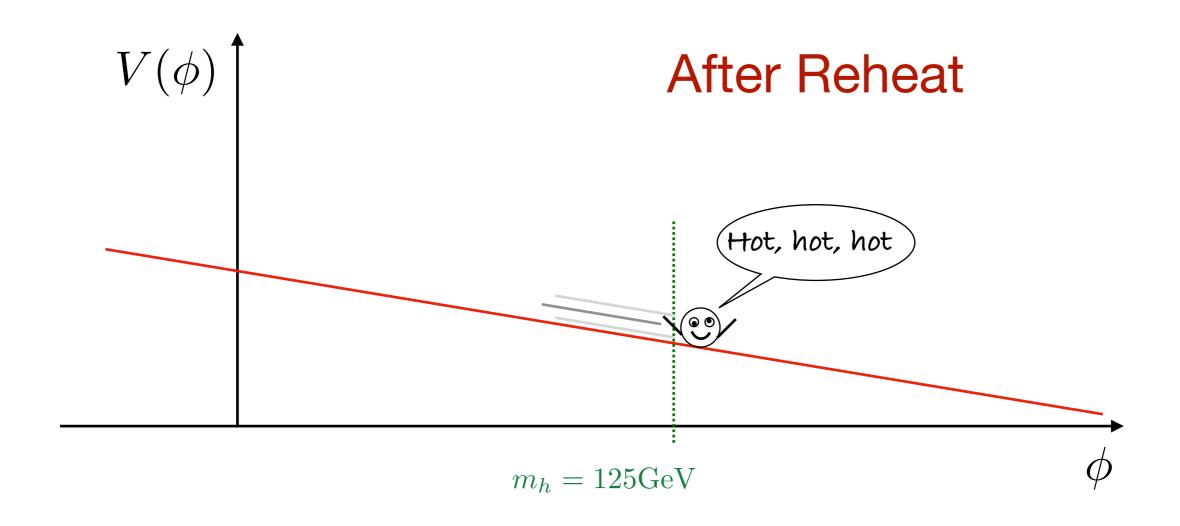
$$\mathcal{L} = \kappa \Lambda^3 \phi$$



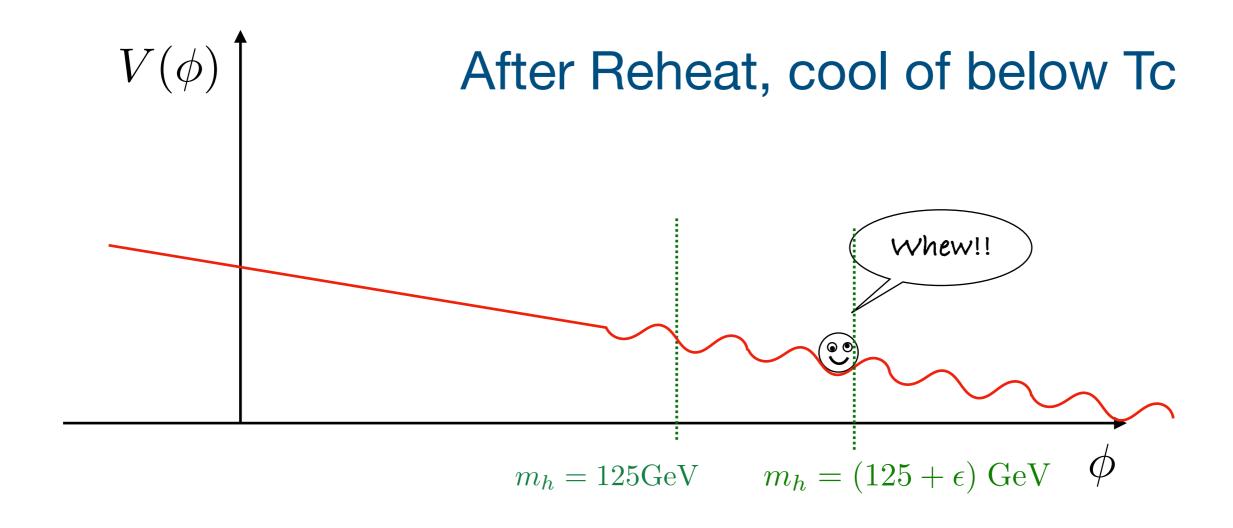
$$\mathcal{L} = \kappa \Lambda^3 \phi + (\Lambda^2 - \phi^2) H^2$$



$$\mathcal{L} = \kappa \Lambda^3 \phi + (\Lambda^2 - \phi^2) H^2 + \Lambda_{QCD}(\langle H \rangle) \cos(\phi/f)$$



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There are issues:

- There is a large hierarchy between the linear term and the relaxion scale. (Though there are clockwork solutions)
- If the strongly coupled dynamics is SM QCD, then we generate too large theta_QCD, because of the additional slope. This implies we require a new strongly coupled sector.
- In order to relax the EW scale, the relaxion has to perform a huge field excursion >> Mpl.
- The relaxion naturally scans the CC, how is the EW vacuum so lucky to give the right CC?

And some solutions:

- There are other ways to stop the relaxion: by particle production.
- The clockwork mechanism relieves the hierarchies.

This is why it is best to think of these as toy models for proof of concept...

We live in an asymmetric world...

- The Standard Model sector is dominated by baryons (and not antibaryons), at least by energy density.
- However, by particle count the Standard Model is barely asymmetric:

$$\eta = \frac{n_b - n_{\bar{b}}}{n_{\gamma}} \approx 10^{-9}$$

- There are no pockets of anti-baryons (the boundaries would be very bright).
- The Standard Model prediction (as is), is significantly lower:

$$\eta_{\rm SM} = \frac{n_b + n_{\bar{b}}}{n_{\gamma}} < 10^{-20}$$

Sakharov Conditions

Condition 1: You need Baryon number violation.

If baryon number is conserved, then you cannot change baryon number, duh.

Condition 2: You need CP violation.

$$\langle B|H|i\rangle = \langle \bar{B}|H|i^*\rangle \longrightarrow n_B = n_{\bar{B}}$$

Condition 3: Must be out of equilibrium.

$$\Gamma(\text{bath} \to \text{bath} + B) = \Gamma(\text{bath} + B \to \text{bath})$$

$$\mathcal{L} = V(\phi) + \frac{\partial_{\mu}\phi}{f}J^{\mu}$$

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Imagine that Cosmology gives me:

$$\partial_t \phi = \Lambda^2 \neq 0$$
, but $\partial_i \phi = 0$



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, but $\partial_i \phi = 0$ $\Delta \mathcal{H} = \frac{\Lambda^2}{f} J^0 = \mu Q$

If I were to also turn on some Q-violating operator then I would start producing net Q number.

should

This is happening in equilibrium. (You might be worried)

$$\mathcal{L} = V(\phi) + \frac{\partial_{\mu}\phi}{f}J^{\mu}$$

$$\partial_t \phi = \Lambda^2 \neq 0$$
, but $\partial_i \phi = 0$ $\Delta \mathcal{H} = \frac{\Lambda^2}{f} J^0 = \mu Q$



Spontaneous Breaking of CPT by the background:

Sakharov Conditions don't apply.

Digression: Chemical Potential and net charge...

$$\Delta \mathcal{H} = \frac{\Lambda^2}{f} J^0 = \mu Q$$

$$n_{\mathcal{O}}$$

$$n_{Q} - n_{-Q} = \int \frac{dp^{3}}{\exp\left(\frac{E+Q\mu}{T}\right) \pm 1} - \int \frac{dp^{3}}{\exp\left(\frac{E-Q\mu}{T}\right) \pm 1}$$

$$\approx \frac{\mu}{T} \int \frac{\exp\left(\frac{E}{T}\right) dp^{3}}{\left(\exp\left(\frac{E}{T}\right) \pm 1\right)^{2}} + \mathcal{O}(\mu^{2}/T^{2})$$

$$\propto \mu T^{2}$$

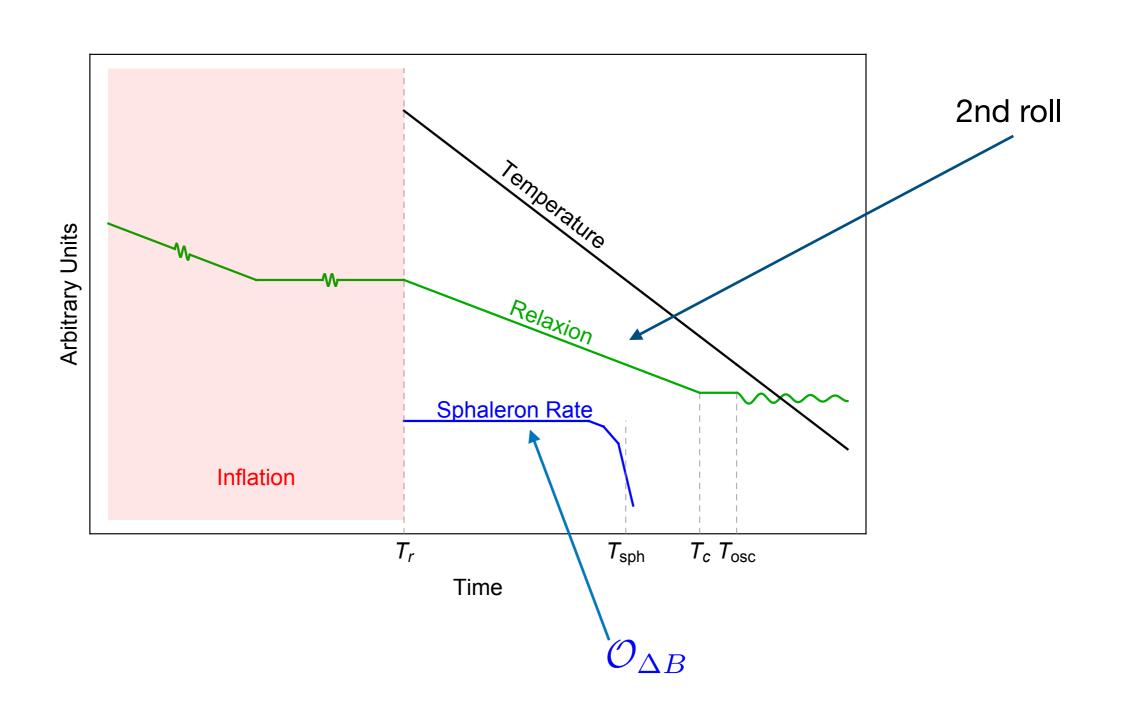
$$\mathcal{L} = V(\phi) + \frac{\partial_{\mu}\phi}{f} J_B^{\mu} + \mathcal{O}_{\Delta B}$$

$$\partial_t \phi = \Lambda^2 \neq 0$$
, but $\partial_i \phi = 0$ and $\mathcal{O}_{\Delta B}$ is in equilibrium

$$\Delta n_B \propto \mu T^2 = \frac{\Lambda^2 T^2}{f}$$

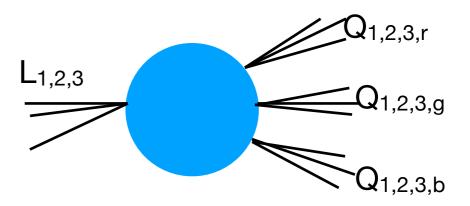
If $\mathcal{O}_{\Delta B}$ decouples before the field stops rolling, this asymmetry is 'locked in' at that temperature.

The big picture...

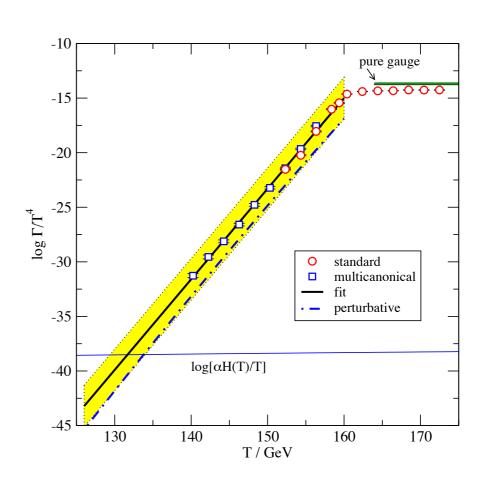


Digression: Sphalerons

- They are non-perturbative diffuse configurations of Electroweak fields.
 By definition they couple to all the left-handed quarks and leptons at once.
- One can think of them as a blob that can trade quarks for leptons.
- As a result, they conserve B-L, but violate B+L
- Below EW scale, they are very difficult to excite. But above EW temperatures, they are ever-present.
- Normally, they erase baryon number, here they help!



uu -> u ccc ttt ddd e $\tau \mu$



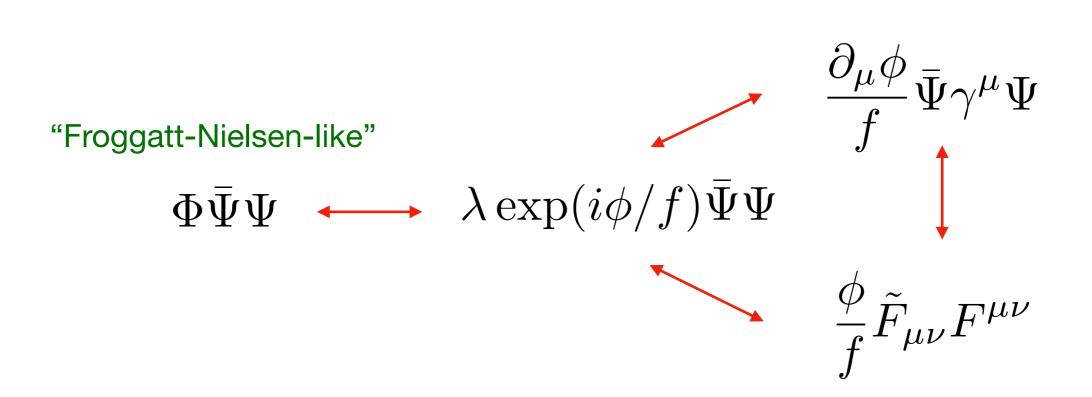
Lagrangian Description

$$\mathcal{L} = \kappa \Lambda^3 \phi + (\Lambda^2 - \phi^2) H^2 + \Lambda_c (|H|) \cos(\phi/f_w) + \frac{\partial_\mu \phi}{f} J^\mu + \mathcal{O}_{sph}$$
 Relaxion New SM
$$\eta = \frac{15}{4\pi^2} \frac{g_{\rm SB}}{g_*^{3/2}} \frac{m_\phi^2 m_{\rm pl}}{T_{\rm sph}^3} \frac{f_{\rm w}}{f}$$

Lagrangian Description

$$\mathcal{L} = \overbrace{\kappa \Lambda^3 \phi + (\Lambda^2 - \phi^2) H^2 + \Lambda_c(|H|) \cos(\phi/f_w)}^{\text{Relaxion}} + \underbrace{\frac{\partial_\mu \phi}{f} J^\mu}_{\text{New}} + \underbrace{\frac{\partial_\mu \phi}{f} J^\mu}_{\text{SM}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} + \underbrace{\frac{\partial^2 \phi}{\partial \phi} \Lambda_c^4 \cos(\phi/f_w)}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} \Big|_{\phi \to 0, h \to 0}}_{\text{New}} \Big|_{\phi \to 0, h \to 0}$$

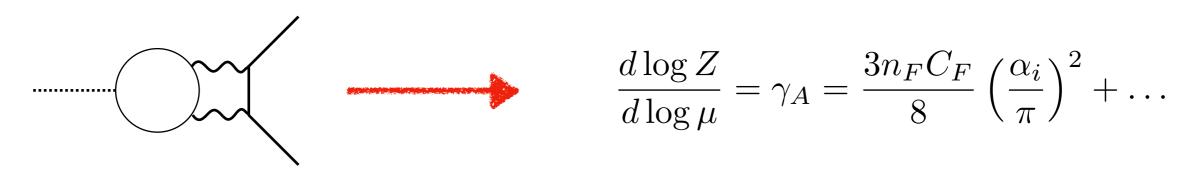
Coupling the Relaxion to the Standard Model



- Fields redefinitions allow us to trade between the operators. Typically two are always present.
- "Clever" choice of charges can remove the anomaly coupling.
- But, the couplings run...

Running couplings

 The anomalous current can have a non-zero anomalous dimension [hep-ph/9302240]



- This is a well known two-loop effect for quarks
- It applies to leptonic couplings as well through the loops of Ws. Funnily enough, partly because there are four SU(2) fundamentals per generation, this effect is not as small.
- For example: if we couple to just tau at some high scale we still generate significant-ish couplings to all other fermions.

$$c_i = \frac{9n_g}{32\pi^2} c_{\tau}(f)\alpha_2^2(m_Z)\log f/m_Z = 8 \times 10^{-4} \big|_{f=10^6 \text{GeV}}$$

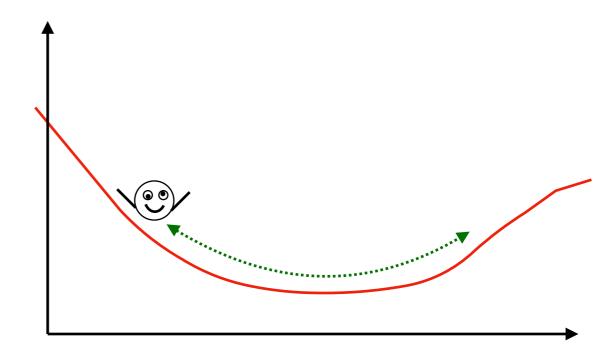
Constraints

- Overshooting —> if the relaxion is too heavy, the barrier might not stop it. [1611.08569]
- Loop Consistency —> we need to make sure that the dominant contribution to the wiggly potential comes after the Higgs vev is turned on. [1504.07551]
- Mixing with the Higgs —> produces fifth force between leptons, baryons. For light relaxion, this fifth force is severely constrained by torsion pendulum experiments like EotWash. [1610.02025]
- Coupling to matter in general —> allows hot SM particles to radiate a light relaxion away, and cool down. This could affect star evolution. [Raffelt]

Relaxion Dark Matter

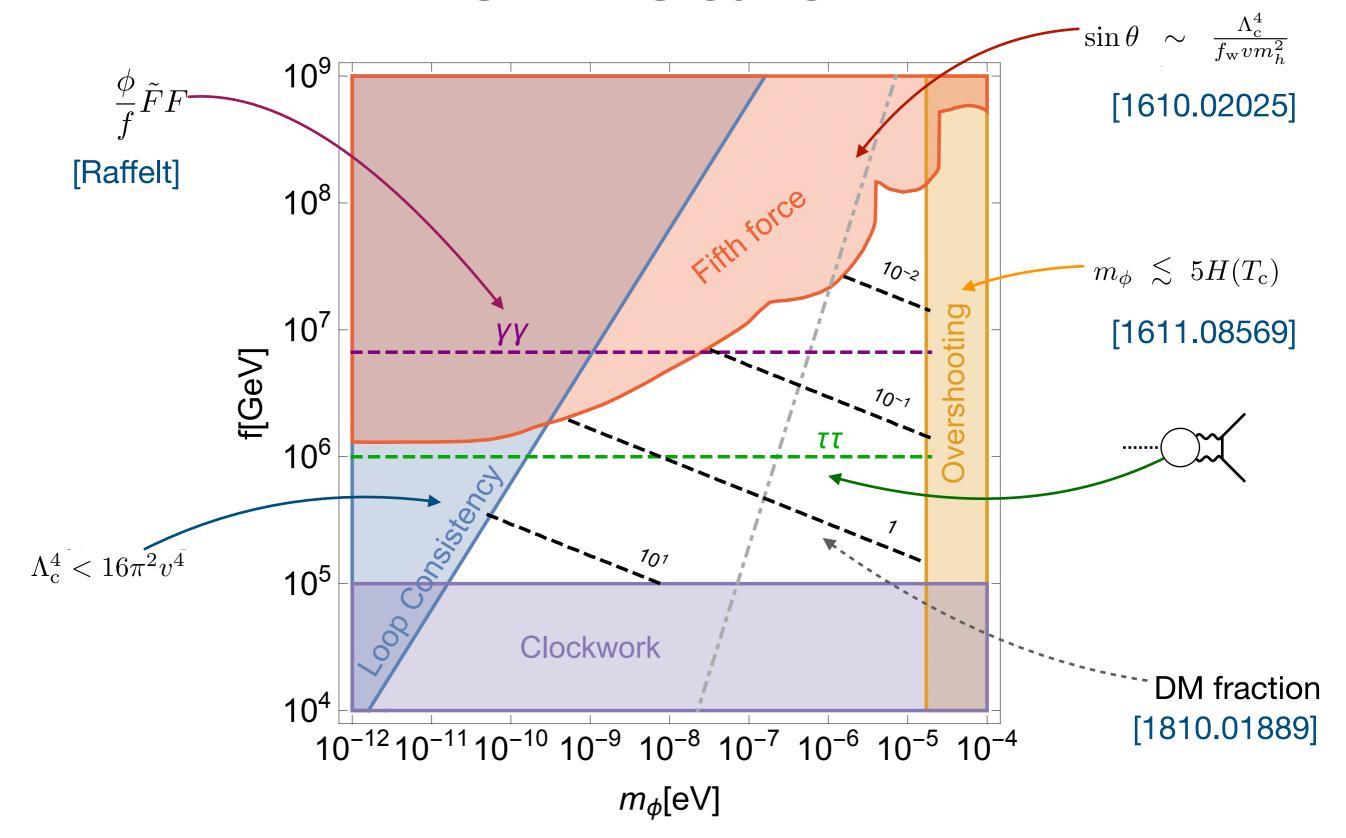
[1810.01889]

- The relaxion rolls with a certain speed and then ends up inside a minimum of a wiggle
- Oscillations around this minimum can be interpreted as a density of particles in a coherent state (like a BEC)
- There are regimes of parameter space, in which this density is the same as the necessary Dark Matter density.
- Coherently oscillating field acts as matter.



$$\ddot{\phi} + 3H\dot{\phi} + m^2\phi = 0$$

Is it safe?



Conclusions

- If you couple the Relaxion to a SM model current that carries lepton/baryon number you get a pretty natural baryogensis scenario.
- This may be dangerous: this coupling allows for cooling of stars. However, not insurmountable.
- This does come at a cost: You need an additional hierarchy between the relaxion scale and the scale that suppresses this new operator. But this hierarchy was already present...
- It is consistent with axion being a DM candidate.
- Interesting extension into neutrino sector already exists [1902.08633]
- We should keep playing with the relaxion scenario and see if we can make it work better...
- Ask me about Planet 9 being a Black Hole (about as speculative) or about CP violations in D—>ππ and D—>KK and BSM